

**Electromagnetic compatibility, EMC**  
**Prof. Rajeev Thottapillil, Daniel Mansson**  
**Module 4.4**  
**Crosstalk near Field Coupling**  
**Electromagnetic coupling in the far-field**

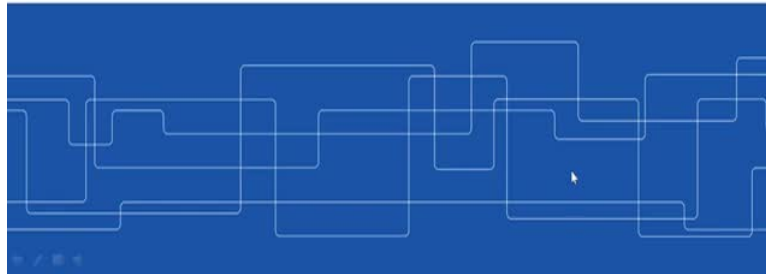
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## 4. Crosstalk

*Rajeev Thottappillil, Daniel Månsson*

Module 4.4



### Content

- Crosstalk (near-field coupling) (Module 4.1)
  - Introduction
  - Common impedance coupling
  - Capacitive coupling (Module 4.2)
  - Inductive coupling
- Crosstalk combinations (Module 4.3)
- **Crosstalk to shielded wires: (Low frequency analysis) (Module 4.4)**
- Interaction of electromagnetic fields with electrical circuits (Module 4.5)
- Exercises (Module 4.6)

Crosstalk or near field coupling module 4.4, in this module we will investigate crosstalk to shielded wires, will be using low frequency analysis.

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## Crosstalk to shielded cables

There exist many different types of shielded cables for different uses.



We can use what we already learned and identify the different crosstalk phenomena.



There are many different type of shielded cables that we use very commonly, they can be cigarette cables or power cables, the analyses presented here are applicable for all this cables, but however for simplicity we will be concentrating on single core shielded wire cable as shown here.

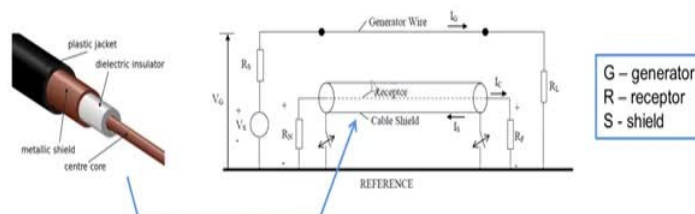
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## Shielded cables - situation

Without loosing generality we assume single wire and single perfect shield (i.e., no transfer impedance that will be discussed in Chapter 5) that is illuminated by a parallel straight wire.

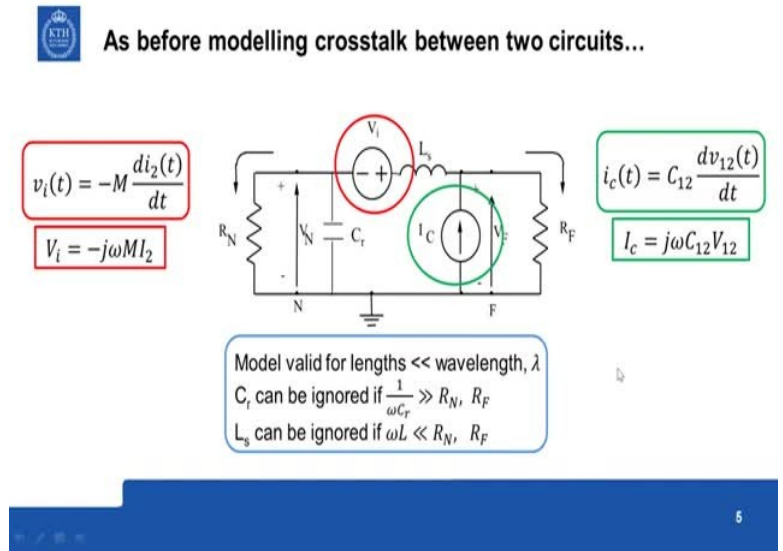
Electrically small four wire system. Analysis method may be used for other four wire systems.



Now this is the generic situation that we will analyse, so this is a shielded cables, single core and that is represented over here, it is for the central core which we call as a Receptor wire and the cable shield and you can have a connection to the ground through a resistor at both ends, so this is the near end, where the source is also coming in generator wire, so generator wire is extended to the shielded cable, may be something parallel to this cable and the far end

is away from this generator, resistor  $R_F$ , say for the shield to work both ends the shield has to be connected, so in that case there can be a current also to the shield, then  $V_G$  represent the voltage between the ground and the generator wire, so  $V_S$  is the source voltage, so  $V_G$  will be equivalent to like  $V_{12}$  that we have seen before, the voltage difference between the generator wire and the receptor wire.

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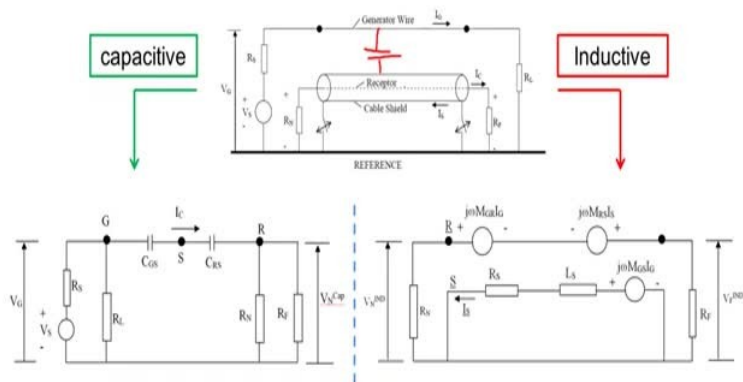


The generic models for inductive coupling and capacitive coupling we have seen before, so these principles will be using in this analysis and as before the inductive coupling is  $V$  equals minus  $M$   $DI_2$  by  $DT$  and capacitive coupling source  $I_{CT}$  is  $C_{12} DV_2$  by  $DT$  and similarly the parallel capacitors to ground can be neglected if this condition is true and the series inductive impedance can be ignore if this condition is true, all this are valid in this analysis also but there will be some more defecations for that due to the presence of the shield.

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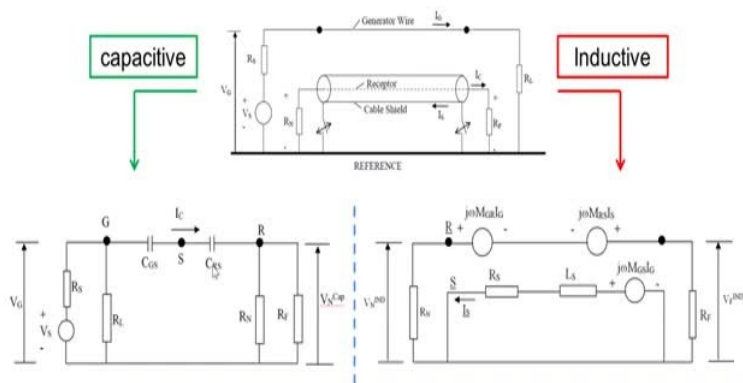
### Shielded cables - situation



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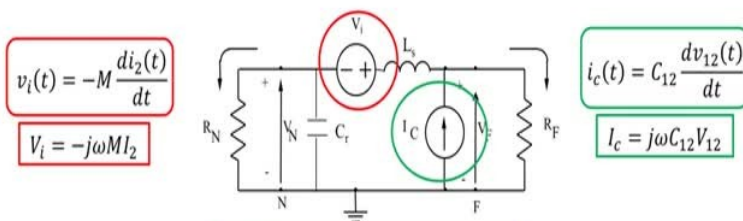
### Shielded cables - situation



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As before modelling crosstalk between two circuits...

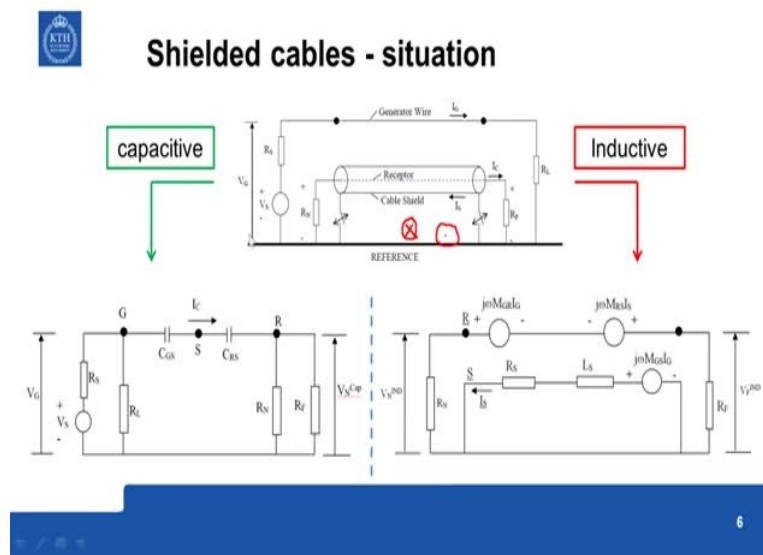


Model valid for lengths  $\ll$  wavelength,  $\lambda$   
 $C_c$  can be ignored if  $\frac{1}{\omega C_c} \gg R_N, R_F$   
 $L_s$  can be ignored if  $\omega L \ll R_N, R_F$

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Now let us take this situation and find the equivalence circuit for analysis of capacitive crosstalk and equivalence circuit for the inductive crosstalk, so we have a capacitors between the generator wire and the receptor, so we can draw it like that, well it is not a very good trying but something like this and you have something similar between the receptor wire and the cable shield, so therefore here, so this part is this source circuit and CGS to the shield, so this is the shield point, then CRS between the receptor wire and the shield, so that is this capacitance, then this part is the receptor circuit RN and RF, so while drawing these now we assume that okay the shield is not connected to be more general, so if the shield is connected then of course you have connections directly like this and this is short-circuit and you eliminate the capacitive coupling, so this parallel combination of CGS and CRS is similar to this capacitive coupling, coupling capacitance C12, so there is the only difference in the model

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Now let us look at the model for the inductive coupling in the case of a shield, so this is much more complicated than before and instead of one circuit, one voltage source you will find that there are three voltage sources, that is the how it is coming, now take the current in this, so this current will create a flux linkage both with the receptors circuit as well as the cable shield and direction of Bose magnetic field you can represent is going into the paper, so something like this, now since this generator wire is further away and shielded cable, receptor and cable shield or so close to each other, basically it is same flux that is linking with both receptor circuit and shield circuit.


Now we assume that the shield is connected at both ends for the generic case, whereas here it is open for the generic case, now MGR is mutual inductance between the generator wire and the receptor wire, so that is the source  $J \omega MGR$ , so this source is coming in the receptor circuit and it will drive a current in such a way that, it should create a flux opposing this, so that flux is coming out of the paper, so you will have a flux coming out of that paper like that only if the direction of the current is in this way, from here to here, so the polarity is like this, so this will drive current to oppose the original flux, so there is one source.

Now a similar source will be there in the shield circuit also, so you take the mutual inductance between the generator and the shield MGS, so it is this source, now since we do not have any deliberate resistance in the shield, so you cannot neglect the series resistance and the series inductance of the shield, self-inductance of the shield, it cannot be neglected because otherwise it is short-circuit, so that is, that need to be included in the shield circuit, so this will be your shield circuit with the source, now this source will be driving a current, shield current  $I_S$  and this is fairly substantial current and this current will create, this current will couple, create a magnetic field that be coupled, coupling with the receptor circuit, now that, the polarity of that will be in such a way that, it will opposing this flux shown here.

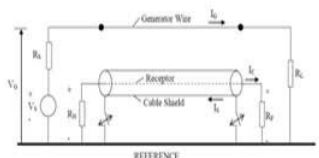
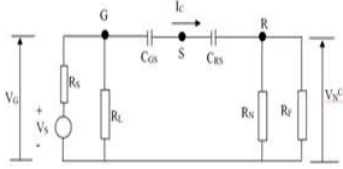
So that is shown here, so it is  $J \omega$  mutual inductance between the receptor and the shield, between the receptor in the shield times  $I_S$  in the shield current, so you have two opposing sources in the receptor circuit and immediately you can see that, this opposing sources will reduce the general circulating current in the receptor circuit and that is how the shield is working introducing the noise voltages  $V_N$  and  $V_F$ , so in necessary condition for that is, this has to be connected at both ends and there has to be circulating current, so this gives the complete equivalence circuit for the inductive coupling.

Now we can do for the simplifications in this, say for example if you take the mutual inductance between the generator wire and the shield that will be approximately equal to between the generator wire and the receptor also, so MGR and MGS, so these two sources are almost identical and similarly MRS, mutual inductance between the receptor and the cable shield, since they share the same area that will be equal to the cable self-inductance  $L_S$ , so MRS can be replace by this  $L_S$ , so those simplifications we will see next.

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### Shielded cables - capacitive coupling

$C_{GR}$  – capacitance between generator and receptor.

$C_{RS}$  – capacitance between receptor and shield.

$C_{12}$  – total coupling capacitance between generator and receptor.


$$C_{12} = \frac{C_{RS}C_{GS}}{C_{RS} + C_{GS}}$$

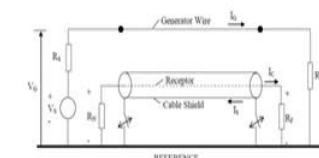
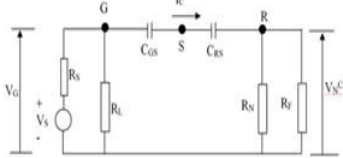
$$V_F^{cap} = V_N^{cap} = \frac{R_N R_F}{R_N + R_F} j\omega C_{12} I_G$$

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So first before that let us go further into the capacitive coupling, we have seen that a combination of these two is equivalent to  $C_{12}$  the coupling capacitors, in the absence that shield is not connected to the ground, so series capacitance is equivalent to, capacitance is like a parallel combination, then  $V_F$  equals  $V_N$  you can write it like this, where  $C_{12}$  is given by this, so total coupling capacitors between generator and receptor, now  $C_{RS}$  between the receptor and shield, this is much larger capacitors than this one, so often we are able to neglect this and keep only this one  $C_{GS}$ , so basically, then it will be as if there is no shield present, only  $C_{GS}$  is present in the case, then they are not connected to the ground.

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Assume that currents and voltages in the receptor and shield circuit do not influence the currents and voltages of the generator circuit, that is, weak coupling with the generator circuit):

$$I_G \approx \frac{V_S}{R_S + R_L} \rightarrow$$

$$V_{N,F}^{cap} = \frac{R_N R_F}{R_N + R_F} j\omega \frac{C_{RS} C_{GS}}{C_{RS} + C_{GS}} \frac{V_S}{R_S + R_L}$$

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For low frequencies this reduces to:

$$V_{N,F}^{cap} = \frac{R_N R_F}{R_N + R_F} j\omega \frac{C_{RS} C_{GS}}{C_{RS} + C_{GS}} \frac{V_s}{R_s + R_L} \approx j\omega \frac{R_N R_F}{R_N + R_F} \frac{C_{RS} C_{GS}}{C_{RS} + C_{GS}} V_G$$

$$V_G = \frac{R_L}{R_s + R_L} V_s$$

Where  $V_G$  is the generator wire low frequency voltage.

Our expression have reduced to the one similar to capacitive coupling between two wires with  $C_{12} = C_{RS} || C_{GS}$  as above.

$$V_N = \frac{R_N}{R_N + R_F} j\omega M I_2 + \frac{R_N R_F}{R_N + R_F} j\omega C_{12} V_{12} + \frac{R_N}{R_N + R_F} Z_c I_2$$

$$V_F = \frac{-R_F}{R_N + R_F} j\omega M I_2 + \frac{R_N R_F}{R_N + R_F} j\omega C_{12} V_{12} - \frac{R_F}{R_N + R_F} Z_c I_2$$

Inductive

capacitive

"Z<sub>c</sub>"

Also often,  $C_{RS} \gg C_{GS} \rightarrow C_{12} \approx C_{GS} \approx C_{GR}$  which is basically the unshielded case.

$$V_G \rightarrow V_{12}$$

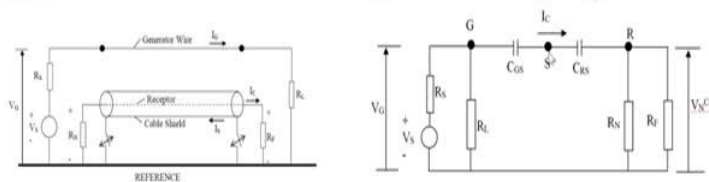


So the current in the generators circuit  $I_G$  under the assumption of V coupling between them, we can write it as  $V_S$  by  $R_S$  plus  $R_L$ , so substituting that in the previous expression we get this one, then you make simplifications  $V_S$ ,  $V_G$  in terms of  $V_G$  you find  $V_G$  equal to  $R_L$  by  $R_S$  plus  $R_L$ ,  $V_S$  so all  $V_G$ s generator wire low-frequency voltage, now our expression has reduced to one similar to the capacitive coupling between the two wires, so  $V_G$  in our case is similar to  $V_{12}$  in the previous case and  $C_{12}$  which is this one is approximately equal to  $C_{GS}$  for  $C_{GR}$ , so this  $R_S$  can be neglected within that.

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### Shielded cables - capacitive coupling

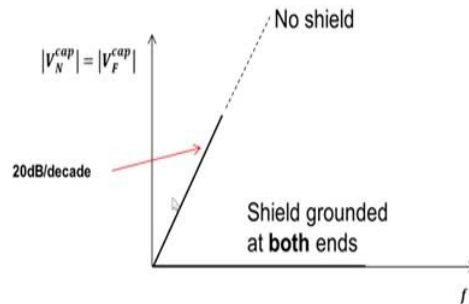


If the shield (S) is connected to ground at one or both ends, the shield voltage is reduced to zero (charges goes to ground) and the capacitive coupling is removed, thus,  $V_N^{cap} = V_F^{cap} = 0$ .

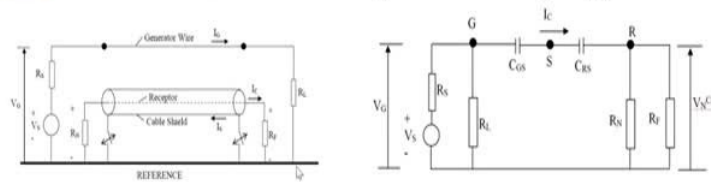




## Shielded cable – grounding effect on $|V_{N,F}^{cap}|$



## Shielded cables - capacitive coupling



If the shield (S) is connected to ground at one or both ends, the shield voltage is reduced to zero (charges goes to ground) and the capacitive coupling is removed, thus,  $V_N^{cap} = V_F^{cap} = 0$ .

For low frequencies this reduces to:

$$V_{N,F}^{cap} = \frac{R_N R_F}{R_N + R_F} j\omega \frac{C_{RS} C_{GS}}{C_{RS} + C_{GS}} \frac{V_S}{R_S + R_L} \approx j\omega \frac{R_N R_F}{R_N + R_F} \frac{C_{RS} C_{GS}}{C_{RS} + C_{GS}} V_G$$

$$V_G = \frac{R_L}{R_S + R_L} V_S$$

Where  $V_G$  is the generator wire low frequency voltage.

Our expression have reduced to the one similar to capacitive coupling between two wires with  $C_{12} = C_{RS} || C_{GS}$  as above.

$$V_N = \frac{R_N}{R_N + R_F} j\omega M_{12} + \frac{R_N R_F}{R_N + R_F} j\omega C_{12} V_{12} + \frac{R_N}{R_N + R_F} Z_c I_2$$

$$V_F = \frac{-R_F}{R_N + R_F} j\omega M_{12} + \frac{R_N R_F}{R_N + R_F} j\omega C_{12} V_{12} - \frac{R_F}{R_N + R_F} Z_c I_2$$

Inductive    
 capacitive    
 \*Z<sub>c</sub>\*

Also often,  $C_{RS} \gg C_{GS} \rightarrow C_{12} \approx C_{GS} \approx C_{GR}$  which is basically the unshielded case.

$$V_G \rightarrow V_{12}$$

If the shield is connected then VN cap or the capacitive crosstalk will be zero as before, so this can be represented in this way so this is a plot of frequency versus the capacitive crosstalk and in the case of capacitive crosstalk VN crosstalk is always equal to the far end crosstalk respective the impedances that near end and far end, so when the shield is not connected to the ground even at one end, then we have this expression, so you can see that it is changing the J omega, so it is 20 DB decade change, so this is shield not connected to the ground or which is equivalent to having no shield at all, so when the shield is, shield grounded at both ends or even at one end, this is applicable even for connection to one end, then suddenly it becomes a zero, for capacitive crosstalk control you need to connect the shield to ground only at one end, both is need to be connected for inductive crosstalk, elimination or selection.

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**Shielded cables - inductive coupling**

$M_{GR}$  - mutual inductance between generator circuit and receptor circuit.

$M_{RS}$  - mutual inductance between receptor circuit and shield circuit.

$M_{GS}$  - mutual inductance between generator circuit and shield circuit.

$$KVL: I_s = \frac{j\omega M_{GS} I_G}{R_s + L_s}$$

$$V_N^{ind} = \frac{R_N}{R_N + R_F} j\omega (M_{GR} I_G - M_{RS} I_S)$$

$$V_N^{ind} = \frac{R_N}{R_N + R_F} I_G \left( \frac{j\omega R_s M_{GR} + \omega^2 (M_{GS} M_{RS} - M_{GR} L_s)}{R_s + j\omega L_s} \right)$$

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Now coming to inductive coupling, now the equivalence circuit is shown here, we have derived that before, now the shield current can be written as J omega MGS IG by RS plus LS, then this VN induced can be written as from the circuit analysis, from these two sources you can write it like this, where IS is given by this expression, that can be substituted over here, then you get an expression like this is.

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Looking at the situation again we see shield and receptor loop areas are almost the same:

$$A_S \approx A_R$$

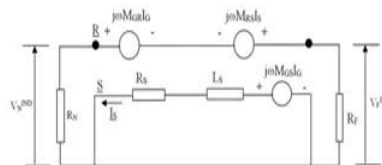
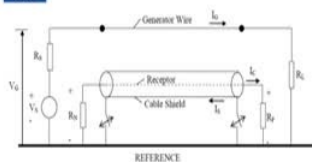
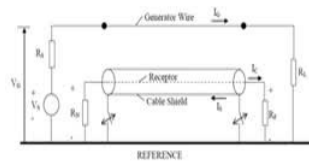
Remember:  $\Phi = \iint \vec{B} \cdot d\vec{A} = LI$

Thus, the fluxes created from  $I_G$  in the loops spanned by  $A_S$  and  $A_R$  are about the same:

$$\Phi_{GS} \approx \Phi_{GR} \rightarrow M_{GS} \approx M_{GR}$$

In the same way, the flux in the loop  $A_R$  from  $I_S$  is the same as the flux in loop  $A_S$  from  $I_S$ :

$$\Phi_{RS} \approx \Phi_{RR} \rightarrow M_{RS} \approx L_S$$



$$M_{GR} \approx M_{GS} \text{ and } M_{GS} \approx L_S \rightarrow$$

$$V_N^{ind} = \frac{R_N}{R_N + R_F} I_G \left( \frac{j\omega R_S M_{GR} + \omega^2 (M_{GS} M_{RS} - M_{GR} L_S)}{R_S + j\omega L_S} \right)$$

$$\text{Crosstalk with no shield} \approx \frac{R_N}{R_N + R_F} j\omega M_{GR} I_G \frac{R_S}{R_S + j\omega L_S} \quad \text{Effect of the shield}$$



Now as said before you can say that this loop area for the receptor circuit and the shield circuit there are almost similar, so  $M_{GS}$  and  $M_{GR}$  they are almost equal, similarly mutual inductance between the receptor and cable shield  $M_{RS}$  is approximately equal to the cable self-inductance, so with this two simplifications in the previous equation we can write the expression like this, so here there are two terms that are a function of frequency one is this and another one is this one, the two factors, so now if we are increasing the frequency from very low value and rising it up what will happen you can see that, so this part is crosstalk with no shield at all or shield open circuited and this part comes only when there is a shield current or when there is a shield, so this is a modification of the crosstalk due to this, so immediately from this equation you can see that in the direction of crosstalk is a function of the shield properties and the frequency  $R_S$  is the resistance of the shield unless is the self-

induction of the shield, so the shield properties and frequency decide how much is beneficial effect the shield will have in the inductive crosstalk, so this is the effect of the shield, so at very low frequency you can find that, this would be almost equal to one because this part will be very small compare to this part, so this ratio will become one, so there is no effect on the shield, only after certain frequency you can see from this equation, the shield will have an effect and that you know ten around frequencies given by when  $R_S$  is equal to  $\omega L_S$ , so this is what we will see next.

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$$\left. \begin{aligned} V_N^{ind} &\approx \frac{R_N}{R_N + R_F} j\omega M_{GR} I_G \frac{R_S}{R_S + j\omega L_S} \\ V_F^{ind} &\approx \frac{-R_F}{R_N + R_F} j\omega M_{GR} I_G \frac{R_S}{R_S + j\omega L_S} \end{aligned} \right\} \rightarrow SF = \frac{R_S}{R_S + j\omega L_S} = \frac{1}{1 + j\omega\tau_S}$$

$\tau_S = \frac{L_S}{R_S}$  is the time constant of the shield and the shielding factor can be approximated by:

$$SF = \begin{cases} 1, & \omega\tau_S < 1 \\ \frac{R_S}{j\omega L_S}, & \omega\tau_S > 1 \end{cases}$$

Corresponding to  $\omega\tau_S = 1$ , we get  $f_0 = \frac{1}{2\pi\tau_S} = \frac{R_S}{2\pi L_S}$



The expression for the near end crosstalk and expression for the far end crosstalk due to the fields, so this part is the shielding factor  $R_S$  by  $R_S$  plus  $J$  omega  $L_S$  then by dividing numerator and the dominator by  $R_S$  we define a new term at time constant  $L_S$  by  $R_S$  by shield time constant it is called, which is the property of the shield, so we write it as  $1$  by  $1 + J$  omega  $\tau_S$ , now the shielding factor will be  $1$  if omega  $\tau_S$  is less than  $1$  approximately and this will be equal to  $R_S$  by  $J$  omega  $L_S$  or  $1$  by  $J$  omega  $\tau_S$ , if omega  $\tau_S$  is greater than  $1$ , so this  $1$  can be neglected, than it is  $1$  by  $J$  omega  $\tau_S$  which is nothing but  $R_S$  by  $J$  omega  $L_S$ , so corresponding to omega  $\tau_S$  is equal to  $1$ , we get a frequency which is called the cut-off frequency is  $1$  by  $2$  pie  $\tau_S$  is equal to  $R_S$  by  $2$  pie  $L_S$ , so below this frequency there is no effect of the shield and above that frequency you will have a shielding fact,

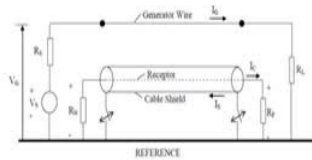
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Assume, shield grounded at **both** ends of the shield:

If  $\omega < \frac{1}{\tau_S} \rightarrow I_G$  returns through ground plane.

If  $\omega > \frac{1}{\tau_S} \rightarrow I_G$  returns through shield, but then  $I_S = I_G = \frac{V_S}{R_S + R_L}$  and we get:



$$V_N^{ind} \approx \frac{R_N}{R_N + R_F} j\omega M_{GR} \frac{R_S}{R_S + j\omega L_S} \frac{V_S}{R_S + R_L}$$

$$V_F^{ind} \approx -\frac{R_F}{R_N + R_F} j\omega M_{GR} \frac{R_S}{R_S + j\omega L_S} \frac{V_S}{R_S + R_L}$$

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So how do we represent that what is it mean? So we will omega less than 1 by tao S, so the below that frequency this IG returns wire the ground, it is not going wire the shield, whereas about the frequency IG is returning through the shield and IS is equal to IG then substitute those values we get near end crosstalk and far end crosstalk by these expression VS by RS plus RL, so this is only when omega is far greater than 1 by tao S the expression is valid.

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$$\left. \begin{aligned} V_N^{ind} &\approx \frac{R_N}{R_N + R_F} j\omega M_{GR} I_G \frac{R_S}{R_S + j\omega L_S} \\ V_F^{ind} &\approx \frac{-R_F}{R_N + R_F} j\omega M_{GR} I_G \frac{R_S}{R_S + j\omega L_S} \end{aligned} \right\} \rightarrow SF = \frac{R_S}{R_S + j\omega L_S} = \frac{1}{1 + j\omega\tau_S}$$

$\tau_S = \frac{L_S}{R_S}$  is the time constant of the shield and the shielding factor can be approximated by:

$$SF = \begin{cases} 1, & \omega\tau_S < 1 \\ \frac{R_S}{j\omega L_S}, & \omega\tau_S > 1 \end{cases}$$

Corresponding to  $\omega\tau_S = 1$ , we get  $f_0 = \frac{1}{2\pi\tau_S} = \frac{R_S}{2\pi L_S}$

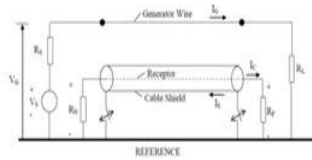
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Assume, shield grounded at **both** ends of the shield:

If  $\omega < \frac{1}{\tau_S} \rightarrow I_G$  returns through ground plane.

If  $\omega > \frac{1}{\tau_S} \rightarrow I_G$  returns through shield, but then  $I_S = I_G = \frac{V_S}{R_S + R_L}$  and we get:

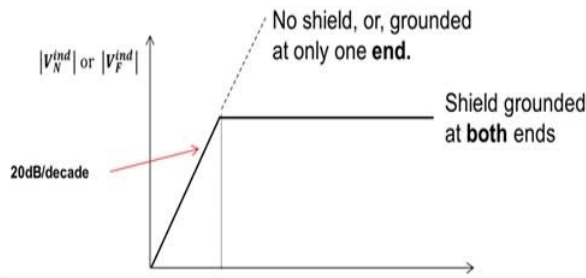


$$V_N^{ind} \approx \frac{R_N}{R_N + R_F} j\omega M_{GR} \frac{R_S}{R_S + j\omega L_S R_S + R_L} \frac{V_S}{R_S + R_L}$$

$$V_F^{ind} \approx -\frac{R_F}{R_N + R_F} j\omega M_{GR} \frac{R_S}{R_S + j\omega L_S R_S + R_L} \frac{V_S}{R_S + R_L}$$



### Shielded cable – grounding effect on $|V_{N,F}^{ind}|$



$$\frac{R_S}{R_S + j\omega L_S} \approx 1 \text{ when } R_S > \omega L_S$$

$$\approx \frac{R_S}{\omega L_S} \text{ when } \omega L_S > R_S$$

$$f_0 = \frac{R_S}{2\pi L_S}, \text{ from } R_S = \omega_0 L_S = 2\pi f_0 L_S$$

Eg: For RG-58C cable the shield cut-off frequency,  $f_0 \approx 2.0 \text{ kHz}$

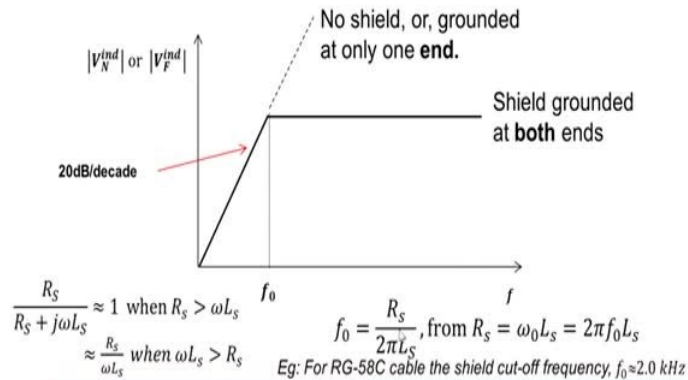


So below that shield cut-off frequency, it is but decade increase, where shielding factor is 1, so it is just  $J \omega M_{GR} I_G$ ,  $J \omega M_{GR} I_G$  here, now about the shield cut-off frequency it becomes  $R_S + j \omega L_S$ , so this  $J \omega$ ,  $J \omega$  cancels, so you get a kind of a such ratio in the this voltage, so it is noted frequency dependent anymore beyond that cut-off, so for RG 58C cable the shield cut-off frequency we can find this about 2 kHz, so what is it mean? It means that below 2 kHz, this particular cable will not be helpful in preventing inductive crosstalk, whereas about 2 kHz we can prevent or it can reduce inductive crosstalk.

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## Shielded cable – grounding effect on $|V_{N,F}^{ind}|$



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## Shielded cables - conclusions

- To eliminate capacitive crosstalk, the shield should be connected to ground at least at one end.
- To eliminate inductive crosstalk, the shield should be connected at both ends to drive a shield current. In that case a shield with a low resistance,  $R_s$ , and/or large inductance,  $L_s$ , is good for reducing inductive crosstalk.
- Below shield cut-off frequency, the return currents are via the ground (no shielding effect from magnetic field) and above the shield cut-off frequency the return currents are via the shield (shielding from magnetic field).

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So conclusions, to eliminate capacitive crosstalk, the shield should be connected to ground at least one end and to eliminate inductive crosstalk, the shield should be collected at both ends to driver shield current. In that case a shield with the low resistance  $R_s$  and a large inductance  $L_s$  is good for reducing inductive crosstalk, so this comes from say shield cut-off frequency, low resistance and large inductance means  $F_0$  becomes smaller, so it means that even from very low frequency, you will have the effect of the shield. Below the shield cut-off frequency, the return currents are via the ground (no shielding effect from magnetic field) and above the shield cut-off frequency the return currents are via the shield (the shielding from magnetic field).

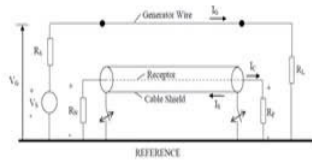
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Assume, shield grounded at **both** ends of the shield:

If  $\omega < \frac{1}{\tau_S} \rightarrow I_G$  returns through ground plane.

If  $\omega > \frac{1}{\tau_S} \rightarrow I_G$  returns through shield, but then  $I_S = I_G = \frac{V_S}{R_S + R_L}$  and we get:



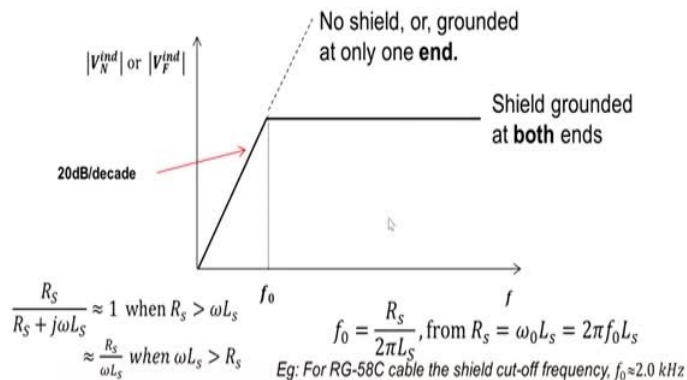
$$V_N^{ind} \approx \frac{R_N}{R_N + R_F} j\omega M_{GR} \frac{R_S}{R_S + j\omega L_S R_S + R_L} \frac{V_S}{R_S + R_L}$$

$$V_F^{ind} \approx -\frac{R_F}{R_N + R_F} j\omega M_{GR} \frac{R_S}{R_S + j\omega L_S R_S + R_L} \frac{V_S}{R_S + R_L}$$

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### Shielded cable – grounding effect on $|V_{N,F}^{ind}|$



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### Shielded cables - conclusions

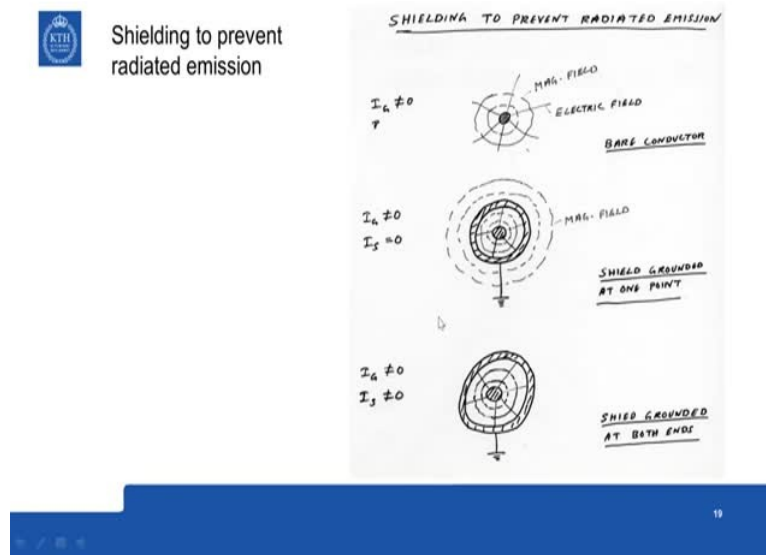
- To eliminate capacitive crosstalk, the shield should be connected to ground at least at one end.
- To eliminate inductive crosstalk, the shield should be connected at both ends to drive a shield current. In that case a shield with a low resistance,  $R_S$ , and/or large inductance,  $L_S$ , is good for reducing inductive crosstalk.
- Below shield cut-off frequency, the return currents are via the ground (no shielding effect from magnetic field) and above the shield cut-off frequency the return currents are via the shield (shielding from magnetic field).

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So here we have shown a very important principle or sum because often AC currents returns via a path that will minimise the flux, so this is general principle, so it is not, you know it may look like that, the current will be following always through the reference because you have some inductance and resistance but that is not the case with AC currents, so the flux new assertion principle is valid, so this will have a lot of practical consequence, I mean here we have, we are doing this analysis in terms of packing over shield, but you can have another conditions also, say for example in electrified railways you have high frequency components, so for imposed on retraction currents and the rail is supposed to be the written path in that case but often the high-frequency currents may returned not via the rays but via the wagons and it may damage even the bearings because of that currents, so in AC the returned currents, the currents would like to return through path where the flux is, the coupling flux is minimised.

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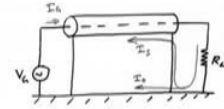
Now shielding can also be used to prevent radiated emission, so here it is illustrated here, so for you have been seeing how shielding can prevent noise pickup from outside, now it is shown how it can be used to prevent emission, so in this case the cross section is shown, the bare conductor no shield, then you have magnetic field and electric field freely transmitted to this space surroundings, now suppose you have a shield and at least one end of the shield is connected to the ground, then all the electric field lines are terminating on the shield, so you do not have any electric field emission but you still have magnetic field emission, so shield current is zero, even though the generated current, here this under this, now this inside conductor, that is not zero, now if the shield is connected at both ends it will drive current

through the shield, so the shield current is not zero anymore, which will combine all the magnetic field to the inside the cable, so then shield is grounded at both ends it will prevent radiated emission,

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Shielding to prevent radiated emission



$$0 = I_2 (j\omega L_2 + R_L) - I_1 j\omega L_{12}$$

$$\therefore I_2 = I_1 \left( \frac{j\omega L_{12}}{j\omega L_2 + R_L} \right) \quad \gamma_S = \frac{L_{12}}{R_L}$$

$$\frac{I_2}{I_1} = \frac{1}{1 + j\omega \gamma_S} \quad I_0 = I_1 - I_2$$

↑  
SHIELDING FACTOR

$$\approx \begin{cases} 1 & \text{for } \omega \ll \frac{1}{\gamma_S} \\ \frac{R_L}{j\omega L_{12}} & \text{for } \omega \gg \frac{1}{\gamma_S} \end{cases}$$



So some more detailed analysis, so you have a source, now the source is connected to the inner conductor, so the load here, so the current has, the shield is connected at the both ends, the current can return either via the ground like this or via the shield current, now this, you can find equivalence circuit for this, it is as if you have a inductive coupling between the inner wire and the shield, so LG and LSH, so you have this mutual coupling also between them, LGS so you write the loop equations, so this is the shield current  $I_S j\omega L_{SH} + R_{SH} I_S - I_G j\omega L_{GS}$ , so from that you can find what is the

value for  $I_S$ , then shield constant is  $L_{SH}$  by  $R_{SH}$  and  $I_0$  in the sum of this  $I_G$  and  $I_S$ , so the difference actually is for the going through the ground, now  $I_0$  by  $I_G$  is same as the shielding factor and that is equal to  $1$  by  $1 + j\omega\tau S$ , this you can find from this expression here then which will be equal to  $1$  for  $\omega$  far less than  $1$  by  $\tau S$  and  $R_{SH}$  by  $j\omega L_{SH}$  for  $\omega$  greater than  $1$  by  $\tau S$ , so very similar kind of the questions you get when you analyse the shield to prevent radiated emission, so that this end of that particular module, one shielded cables, crosstalk in the presence of shielded cables. Thank you.