

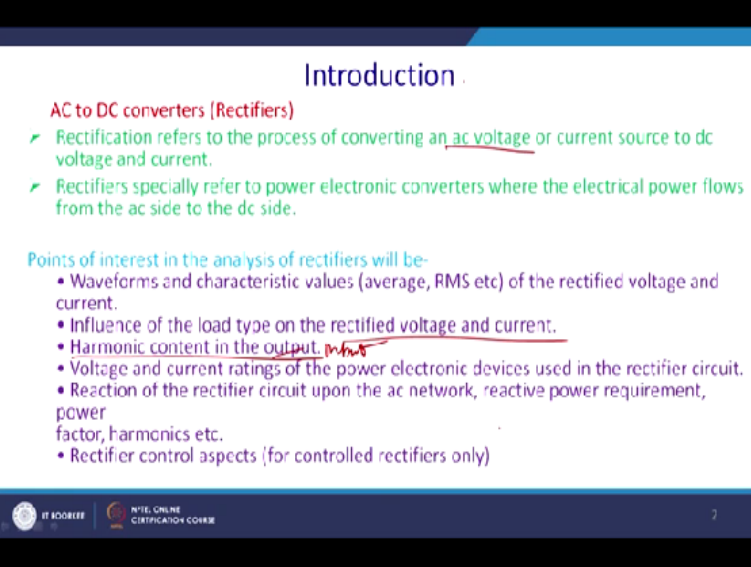
**Advance Power Electronics and Control**  
**Prof. Avik Bhattacharya**  
**Department of Electrical Engineering**  
**Indian Institute of Technology - Roorkee**

**Lecture – 09**  
**Single Phase Converter**

Welcome to the advanced power electronic and control courses. We shall discuss today single phase converter. Single phase converter finds its applications, wide application because previously we had a DC supply and thus we had a DC loads. Once the supply has been changed to the AC, then we require genuine purpose to rectify this. For example, actually in older household in Calcutta, we already had a DC supply.

We required to rectify it to put it to the actually DC fans in other applications. So now we refer to the process of conversion to the AC to DC as rectifications. So rectification refer to the process of converting an AC voltage and current to the DC voltage and current. And rectifications specially refer to the power electronic converter where the power flows from AC side to the DC side and not in a generative way.

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**Introduction**

**AC to DC converters (Rectifiers)**

- Rectification refers to the process of converting an ac voltage or current source to dc voltage and current.
- Rectifiers specially refer to power electronic converters where the electrical power flows from the ac side to the dc side.

Points of interest in the analysis of rectifiers will be-

- Waveforms and characteristic values (average, RMS etc) of the rectified voltage and current.
- Influence of the load type on the rectified voltage and current.
- Harmonic content in the output. ~~power~~
- Voltage and current ratings of the power electronic devices used in the rectifier circuit.
- Reaction of the rectifier circuit upon the ac network, reactive power requirement, power factor, harmonics etc.
- Rectifier control aspects (for controlled rectifiers only)

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Mostly load is, mostly AC will be the source and load will be the DC and mostly these are DC motors. Now point of interest of the analysis of the rectifier will be actually we require to analysis the waveform of the, while AC to DC conversion, so while various things. Where the

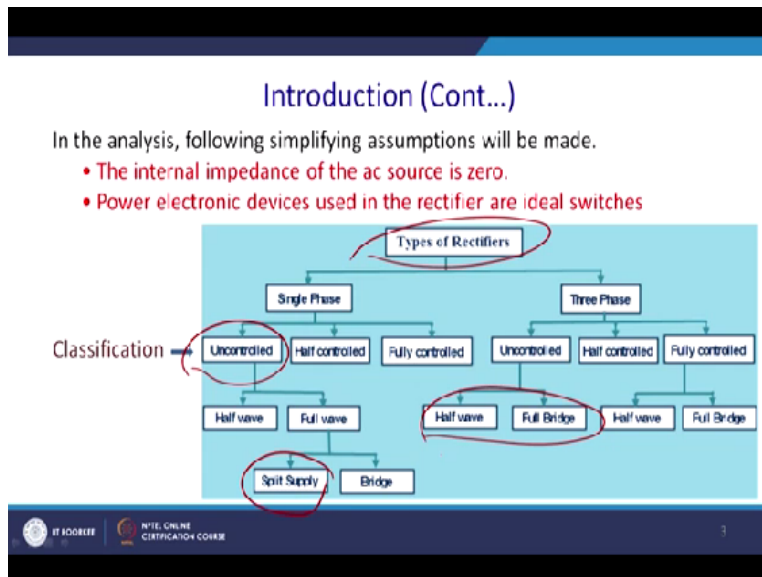
inputs side, when you talk about the waveforms and characteristics values, when you talk about DC value after rectification, we will have an average value.

And when the RMS value becomes my ripple DC, not a constant DC with the rectified voltage have the current. Then due to rectification, there the influence of the load and the rectified voltage and the current will change according to the type of load, whether it is RL, RLE, different kind of load will give rise to a different kind of waveform.

Harmonic content in the input. So you are feeding AC, so since it is a non-linear conversions, AC to DC conversion, then leads to the harmonic contamination in the source side. So you will see that what is the problem or what is all of the arising the harmonics in the input. Voltage and current ratings of the power electronic device used for the rectifier operation, that also will be analyzed.

So what should be the proper rating for the particular wattage of the load. Reactions of the rectifier circuit upon the AC networks reactive power equipments and the power factor harmonics, these will be the actually characteristics of this actually the rectifications and rectifier controlled aspects for controlled rectifier, generally it has been achieved by the thyristors.

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Now in the analysis following simplifying assumptions will be made. Internal impedance of the

AC source is 0 if otherwise not mentioned or taken into the consideration. Power electronic device used in rectifications are the ideal switches. So types of the rectifies. We have a single phase and the 3 phase. Today, we shall consider a single phase. And definitely, we have uncontrolled fitted by the diode rectifier.

You have a half controlled fitted by the combinations of the thyristors and the diode. That of full controlled, it is fed through actually the thyristors. Then we may have a half wave where we require to buck down a voltage a lot. Then we have a full wave where you require to have a total cycle. Then we have a different kind of supply, whether you have a, actually the midpoint of the transformer is available or not, that is also a matter of questions.



If it is available, then we will go for the split supply. And otherwise, we have a bridge kind of configurations. And same way, in 3 phase also we have uncontrolled fitted by a diode with rectifier. We have a half controlled and the full controlled. If uncontrolled, we have a half wave as well as a full bridge. And same way, you have a full control, we have a half wave and full bridge. So all those topology will be discussed.

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### Basic Definitions

➤ Let “f” be the instantaneous value of any voltage or current associated with a rectifier circuit, then the following terms, characterizing the properties of “f”, can be defined.

- 1) **Peak value of f ( $\hat{f}$ )** : As the name suggests  $\hat{f} = |f|_{\max}$  over all time.
- 2) **Average (DC) value of f ( $F_{av}$ )** : Assuming f to be periodic over the time period T
 
$$F_{av} = \frac{1}{T} \int_0^T f(t) dt$$
- 3) **RMS (effective) value of f ( $F_{RMS}$ )** : For f, periodic over the time period T,
 
$$F_{RMS} = \sqrt{\frac{1}{T} \int_0^T f^2(t) dt}$$
- 4) **Form factor of f ( $f_{ff}$ )** : Form factor of ‘f’ is defined as
 
$$f_{ff} = \frac{F_{RMS}}{F_{av}}$$



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First we will take out actually the single phase. So let f be the instantaneous value of any voltage and current associated with the rectifier circuit. Then following terms, characterizing the property of f can be defined. The peak value of f. As the name suggests  $f = \text{mod } f \text{ max}$  for all the



1/T because you have a sine and cos component. So it will be  $f_A^2 + f_B^2$ . Similarly, we can calculate the term  $f_A$  and  $f_B$ . These are basically the Fourier components. So in the same we have find it out the Fourier series coefficients, same way we can do it. So it is  $\frac{2}{T} \int_0^T f(t) \cos 2\pi K t/T dt$ .

And similarly for  $f_B$ , we will have instead of cos, we have a sin term. Now for Kth harmonic, if I wish to know because there is a symmetric generally different kind of harmonics are present for the different kind of system. Sometime actually triplet harmonic is absent. Sometime actually we have harmonic content with a  $6n+1$  and is fast, 5th and 7th, there after 11, 13 and so on.

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**Basic Definitions (Cont...)**

7) **K<sup>th</sup> harmonic component of  $f(F_k)$**  It is the RMS value of the sinusoidal component in the Fourier series expression of  $f$  with frequency  $K/T$ .



$$\therefore F_k = \sqrt{\frac{1}{2}(f_{AK}^2 + f_{BK}^2)}$$

where  $f_{AK} = \frac{2}{T} \int_0^T f(t) \cos 2\pi K t/T dt$

$$f_{BK} = \frac{2}{T} \int_0^T f(t) \sin 2\pi K t/T dt$$

8) **Crest factor of  $f(C_f)$**  : By definition

$$C_f = \frac{\hat{f}}{F_{RMS}}$$

So if we wish to calculate the Kth harmonic component of this  $F_k$ , it is the RMS value of the sinusoidal component of the Fourier series expressions of  $f$  with frequency  $K/T$ . So  $F_k = \sqrt{\frac{1}{2} f_{AK}^2 + \frac{1}{2} f_{BK}^2}$ . So from there, we can calculate the result  $f_{AK} = \frac{2}{T} \int_0^T f(t) \cos 2\pi K t/T dt$ . Similarly, you can have the sin term that is basically  $\frac{2}{T} \int_0^T f(t) \sin 2\pi K t/T dt$ . So there will be a definition called Crest factor. Crest factor is by definition is  $(\hat{f}) / F_{RMS}$  that is the peak value/RMS.

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## Basic Definitions (Cont...)

9) Distortion factor of  $f$  ( $DF_f$ ): By definition

$$DF_f = \frac{F_1}{F_{RMS}}$$

10) Total Harmonic Distortion of  $f$  ( $THD_f$ ): The amount of distortion in the waveform of  $f$  is quantified by means of the index Total Harmonic Distortion (THD). By definition-

$$THD_f = \sqrt{\sum_{k=2}^{\infty} \left(\frac{F_k}{F_1}\right)^2}$$

Also it can be shown that-

$$THD_f = \frac{\sqrt{1 - DF_f^2}}{DF_f}$$

Similarly, we will have a distortion factor. Distortion factor is given by basically by definition, it will be  $F_1$ , that is the fundamental component,  $/F_{RMS}$  will give you the distortion factor. And another term is actually total harmonic distortion. This is a very important classifier. We want that actually now I quickly practices says THD of the input current or anything equal to be a specified limit.

The amount of the distortion in the waveform,  $f$  is quantified by means of the index total harmonic distortion is given by  $THD = \sqrt{\sum_{k=2}^{\infty} (F_k/F_1)^2}$  and from there, actually we can derive, students are requested to refer to the any standard book and the derivations will be there. So we can find it out the  $THD = \sqrt{1 - DF^2}/DF$ . So these are few terms we can use very frequently while analyzing the single phase and the 3 phase converter.

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## Basic Definitions (Cont...)

11) **Displacement Factor of a Rectifier (DPF)**: If  $v_i$  and  $i_i$  are the per phase input voltage and input current of a rectifier respectively, then the Displacement Factor of a rectifier is defined as-  $DPF = \cos\phi_i$ , Where  $\phi_i$  is the phase angle between the fundamental components of  $v_i$  and  $i_i$ .

12) **Power factor of a rectifier (PF)**: As for any other equipment, the definition of the power factor of a rectifier is  $PF = \frac{\text{Actual power input to the Rectifier}}{\text{Apparent power input to the Rectifier}}$ .

if the per phase input voltage and current of a rectifier are  $v_i$  and  $i_i$  respectively then

$$PF = \frac{V_{i1} I_{i1} \cos\phi}{V_{iRMS} I_{iRMS}}$$

Another is the displacement power factor of the rectifier, that is DPF. Let us say if  $v_i$  in a phase, an amount of the voltage and current of the rectifier are actually phase shifted, then the displacement power factor or rectifier is defined as that is  $\cos\phi_i$  as the phase angle between the fundamental components and current and the voltages. Let us understand what does it mean by this?

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So let us consider that you know actually this is the sinusoidal voltage and you know you were triggering thyristors. So it will be delayed by an angle  $\alpha$ . So current will start conducting from here. So then there will be delay. So this delay corresponds to  $\alpha$  and that if you say that is  $\phi$ , then let us go back and understand this definition.

If  $v_i$  and  $i_i$  are the phase input voltages and current of a rectifier respectively or converter, then displacement factor of the rectifier/converter is defined as  $DPF = \cos \phi_i$ ,  $\phi_i$  is the phase angle between the fundamental component of the  $v_i$  and  $i_i$ . So we assume that voltage only have fundamental and it has lot of harmonics. So if you actually whatever its fundamental phase difference with the fundamental voltage, that will be actually defined as DPF.

Power factor of the rectifier, so as for any equipment, the definition of the power factor of a rectifier is the actual power factor of the rectifier upon the apparent input of the rectifier. That mean if the phase input voltage and current of the rectifier  $v_i$  and  $i_i$  respectively, then actually power factor will be given by  $V_{i1}$  of fundamental  $i_{i1}$ , that is the fundamental,  $\cos \phi_i$  of  $i_i$  of the input power factor angle between the fundamental of voltage and current, which we have calculated here,  $I_{rms}$  and the  $V_{rms}$ .

So this will be the power factor in the rectification. These terms will be used and values will be, when assignment will be given to calculate those terms. If the rectifier is supplied from an ideal sinusoidal voltage source, then as I have drawn little bit ago, that is  $V_{i1}$  and  $V$  fundamentals become same.

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**Basic Definitions (Cont...)**

if the rectifier is supplied from an ideal sinusoidal voltage source then

$$V_{i1} = V_{RMS}$$



$$PF = \frac{I_{i1}}{I_{RMS}} \cos \phi_i = DF_{i1} \cdot DPF$$

In terms of THD<sub>i</sub>

$$PF = \frac{DPF}{\sqrt{1 - THD_i^2}}$$

13) **Pulse number of a rectifier (p)**: Refers to the number of output voltage/current pulses in a single time period of the input ac supply voltage. Mathematically, pulse number of a rectifier is given by

$$p = \frac{\text{Time period of the input supply voltage}}{\text{Time period of the minimum order harmonic in the output voltage/current.}}$$

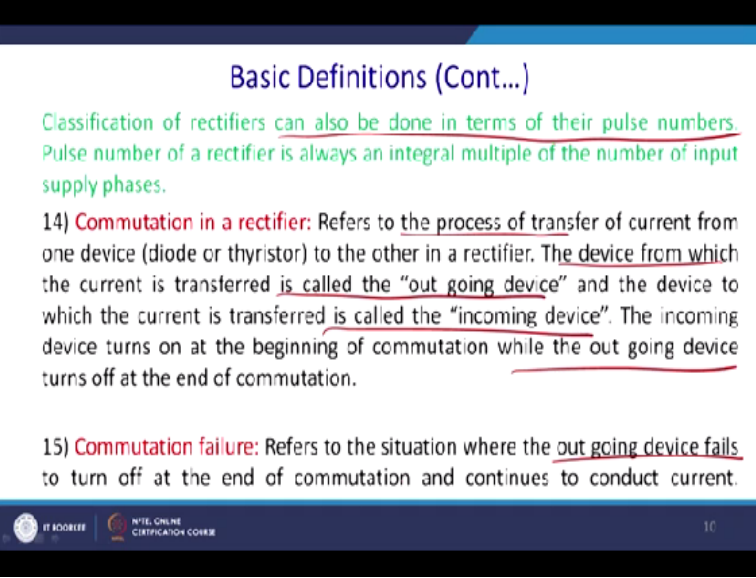
That is the PF, power factor will be  $i_{i1}/I_{rms} \cdot \cos \phi_i$ , that is basically  $DF1 \cdot DPF$ . So we can



replace them in terms of the THD. So power factor will be  $DPF/\sqrt{1+THD^2}$ . Another important parameters of analyzing the rectifier and the converter is that, pulse number of a rectifier. Refer to the number of the output voltage current, whatever parameter you are analyzing, whether output voltage or current, pulse in a single time period in the input AC supply.

Mathematically, the pulse number of the rectifier is given by the time period of the input voltage supply/time period of the minimum order harmonic in the output voltage or current. So that required to be little understood. So it depends only mainly the 3 phase supply. So there we can see the different kind of pulses. How many number of pulses will be generating. So classification of the rectifier can also be done in terms of the pulse number.

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**Basic Definitions (Cont...)**

Classification of rectifiers can also be done in terms of their pulse numbers. Pulse number of a rectifier is always an integral multiple of the number of input supply phases.

14) **Commutation in a rectifier:** Refers to the process of transfer of current from one device (diode or thyristor) to the other in a rectifier. The device from which the current is transferred is called the "out going device" and the device to which the current is transferred is called the "incoming device". The incoming device turns on at the beginning of commutation while the out going device turns off at the end of commutation.

15) **Commutation failure:** Refers to the situation where the out going device fails to turn off at the end of commutation and continues to conduct current.

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And for this reason, we have a different kind of pulse converter. In 3 phase, we say that it is 6 pulse converter. Because what happen you know we will discuss in detail while discussing actually the 3 phase circuit, if it is uncontrolled one pair of thyristors or diode or combination of the thyristors-diode in case of the semi-controlled, we will convert for the period of 60 degree. So you have a total actually 360 degree.

So you got a 6 pulses. So for this reason, classification of the rectifier can also be done in terms of their pulse number. Similarly, we can have actually a phase shifted by 30 degree and we can

by a transformer and we can have a 12 pulse. Similarly, we have a 24 pulse. Similarly, we may have a 48 pulse. And we shall see the utility of it while reduction of the harmonic and the other characteristics that has been required.

Commutation in a rectifier. Rectifier to process the transfer of current from one device through the another device, mostly it is diode or thyristors, to the other rectifier. The device from which current is transferred to the other transfer, is called the outgoing device. And the device to which the current is transferred is called the incoming device. The incoming device turn on at the beginning of the commutation while the outgoing device turns off at the end of the commutation.

So we have sometime there is an overlap. We will come across it and we will see that what is the cause of the overlapping also. Commutation failure. It refers to the situation where outgoing devices fails to turn off at the end of the commutations and continues to conduct current and that is dangerous. Say you have a thyristors (()) (17:13). So you may actually some thyristors is going out and some thyristors comes in. Generally, if you have a, it may leads to the shocking of the (()) (17:26). So that is quite dangerous phenomenon.

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**Basic Definitions (Cont...)**

16) **Firing angle of a rectifier ( $\alpha$ ):** It is the angle by which the conduction of the thyristor is delayed and it is measured from the instant when device becomes just forward biased with the resistive load. Therefore the reference point should be a fixed point.

17) **Extinction angle of a rectifier ( $\gamma$ ):** Also used in connection with a controlled rectifier. It refers to the time interval from the instant when the current through an outgoing thyristor becomes zero (and a negative voltage applied across it) to the instant when a positive voltage is reapplied.

18) **Overlap angle of a rectifier ( $\mu$ ):** The commutation process in a practical rectifier is not instantaneous. During the period of commutation, both the incoming and the outgoing devices conduct current simultaneously. This period, expressed in radians, is called the overlap angle " $\mu$ " of a rectifier. It is easily verified that  $\alpha + \mu + \gamma = \pi$  radian.

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Firing angle of a rectifier, that is alpha, we have discussed in detail in the thyristors. So it is the angle by which the conduction of the thyristors is delayed and it is measured from the instant when devices become a forward biased with the resistive load. Therefore, the reference point

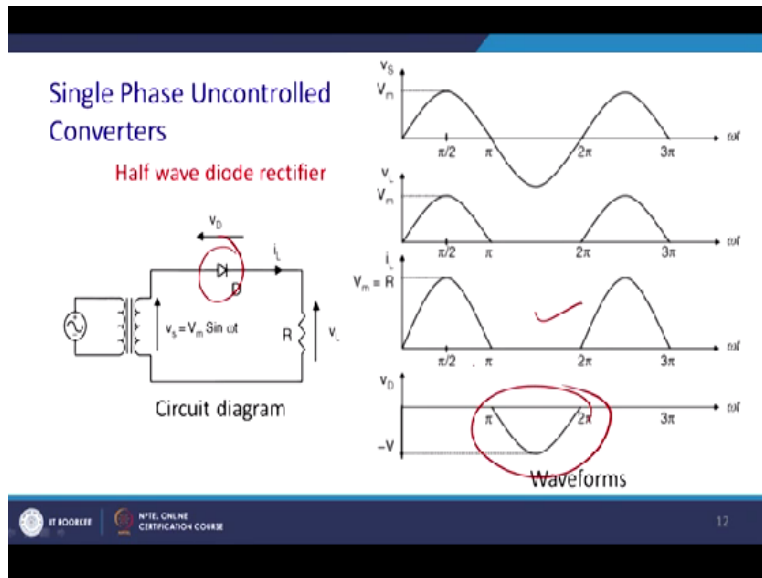
should be a fixed point. So for the single phase, it is a forward 0 crossing and it is a for the 3 phase, in the place where actually this  $V_c$  and  $V_a$  cross, so that place is considered as a firing reference.

We can start calculating firing reference from that point for the 3 phase. But today, our discussion will be mainly on the single phase. Extinction angle of the rectifier or converter. Is also used in connections with a controlled rectifier. Refers to the time interval from the instant when the current through the outgoing thyristors becomes 0 and the negative voltage is applied across it to the instant when a positive voltage is applied.

So within that time actually, that is said to be the extinction angle of the converter or rectifier, overlapping angle, that is called  $\mu$ . it arises though we favour contradictions with our first assumption. We have assumed that actually source does not have an impedance. It comes into the picture when source got an inductance. Commutation process in a practical rectifier is not instantaneous.

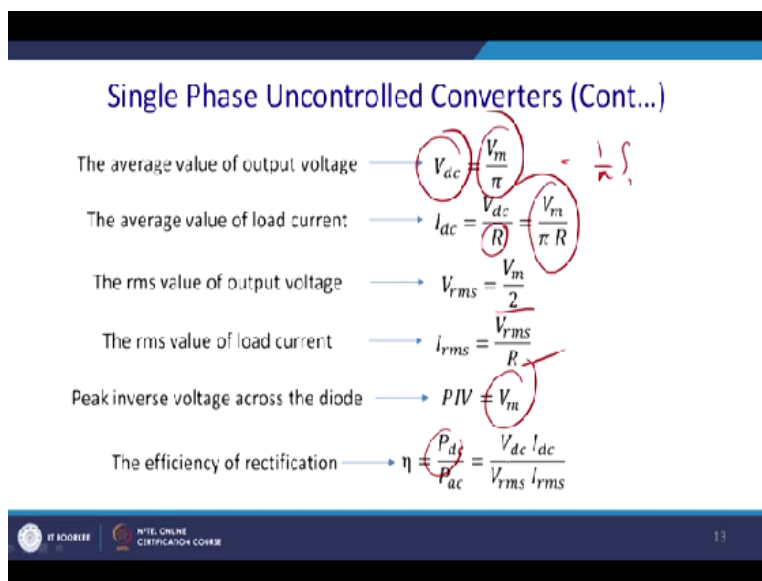
During the period of commutation, both incoming and the outgoing devices conduct current simultaneously for a small period of time. This period is expressed in radians. All angles are expressed in radians and is called the overlapping angle of the rectifier and easily verified that  $\alpha + \mu +$  this actually the extinction angle, that should be equal to the total half cycle of the period that is  $\pi$ . And generally this  $\mu$  will be larger if there is a huge source inductance.

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Now let us come to the first simplest circuit configuration that is single phase uncontrolled converter, half wave diode rectifier fitting a resistive load. So what happens here? Actually diode has to block the peak reverse voltage. So what happens when it conducts? So it has to be blocked the peak reverse voltage and this is basically the voltage across the load. And this is the voltage across the diode.

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Now for a simplest circuit, let us calculate the parameter. Now we can calculate this parameter that is actually the average value of the voltage which we have shown there. So it is  $1/\pi$  from 0 to  $\pi$  and so on. So you get  $V_m/\pi$  for the half wave for the single phase uncontrolled. Average output load current, you divide it just by  $R$ , you get this value,  $V_m/\pi R$ .

RMS value, you will get  $V_m/2$ . RMS of the load current, definitely  $V_{rms}/R$ , you get it. And the peak inverse voltage across the diode, will be  $V_m$ , that is what we have seen in the previous slide. And the efficiency of the rectifier is  $P_{dc}/P_{ac}$ , so that will be  $V_{dc} \cdot I_{dc} / V_{rms} \cdot I_{rms}$  and you can calculate what should be this value.


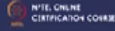
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**Single Phase Uncontrolled Converters (Cont...)**

The *effective (rms) value* of the ac component of output voltage  $\rightarrow V_{ac} = \sqrt{V_{rms}^2 - V_{dc}^2}$

The **form factor** (a measure for the shape of output voltage)  $\rightarrow FF = \frac{V_{rms}}{V_{dc}}$

The **ripple factor** (a measure for the ripple content)  $\rightarrow RF = \frac{V_{ac}}{V_{dc}} = \frac{\sqrt{V_{rms}^2 - V_{dc}^2}}{V_{dc}} = \sqrt{FF^2 - 1}$



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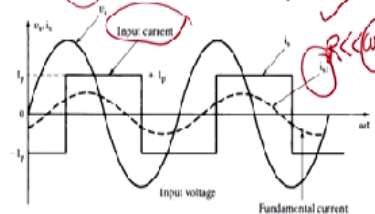
Similarly, effective rms value of the ac component will be  $V_{ac} = \sqrt{V_{rms}^2 - V_{dc}^2}$ . So  $V_{dc}$  is quite actually small for this is actually, this is a considerable amount of the ac inside it. The form factor, it is  $V_{rms}/V_{dc}$ , that is also high. And also ripple factor is  $V_{ac}/V_{dc}$ , you can form it, that is form factor square-1, that will be a ripple factor that also will be quite high.

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## Single Phase Uncontrolled Converters (Cont...)

The **harmonic factor** or **total harmonic distortion** (a measure for distortion of a waveform) of the input current-

$$HF = THD = \frac{I_h}{I_{s1}} = \frac{\sqrt{I_s^2 - I_{s1}^2}}{I_{s1}} = \sqrt{\left(\frac{I_s}{I_{s1}}\right)^2 - 1}$$



If  $\phi$  is the angle between the fundamental component of the input current and the voltage, the **displacement factor**

$$DF = \cos \phi$$

The **input power factor**

$$PF = \frac{V_s I_{s1} \cos \phi}{V_s I_s} = \frac{I_{s1} \cos \phi}{I_s}$$

$$\frac{R}{R + j\omega L}$$

Now single phase uncontrolled converter. Total harmonic, the harmonic factor or the total harmonic distortion that is an important parameter for the current or the power quality. Measures of the distortion of the waveform of the input current that is  $THD = I_h / I_{s1}$ , that is  $I_s^2 - I_{s1}^2 / I_{s1}^2$ . Ultimately you will be get this value. Essentially, if it is a very high inductive load, then input current will get this form. Otherwise, it will be  $V_m / R$ . So that will be different. So this will be applicable when actually  $R$  is much less than basically  $XL$ .

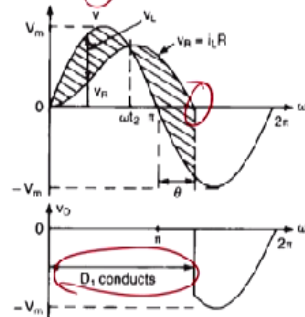
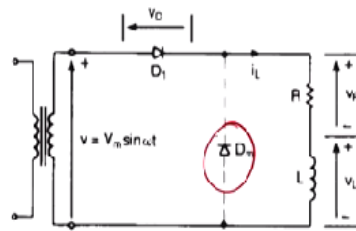
Generally, if  $R/XL$ , this ratio is actually around 0.1, then we can say that you know load current, current through this load almost constant and the input current will have this kind of profile. And there we are coming into the analysis, let us say. And ultimately this is your fundamental of the input current,  $I_{s1}$ . And this is your input current. So from there, you can calculate the value of the other parameter that is  $DF \cos \phi$  and the power factor and other parameter also.

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## Single Phase Uncontrolled Converters (Cont...)

### Single-phase half-wave rectifier (RL load) without freewheeling diode

Due to inductive load, the conduction period of the diode  $D_1$  will extend beyond 180 degree until the current becomes zero.



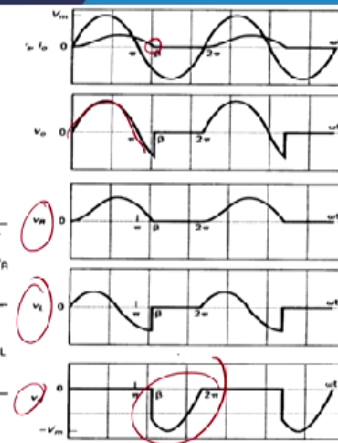
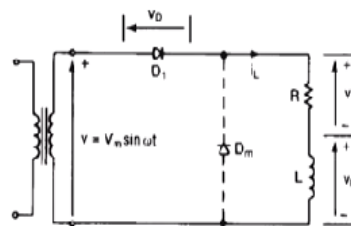
Now let us consider a single phase uncontrolled rectifier RL load with the freewheel. We have seen that different kind of topologies of the converter in our previous class with SPST switches. So you have got a diode and thereafter you got a VL and VR. So what happens, due to inductive load, the conduction period of the diode,  $D_1$ , will extend beyond 180 degree because current will still continue to, after 180 degree, until the current becomes 0.

So this is the point where actually current becomes 0. This is the point where diode  $D_1$  conducts if this thing is absent. Now what happens, if it is actually closed or it has been put into the circuit?

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## Single Phase Uncontrolled Converters (Cont...)

### Wave shapes with extinction angle $\beta$



Then what will happen? Then there will be a change in the circuit. So this is the  $V_m$  and ultimately it will conduct till this time. Thereafter, there will be no negative input is associated with it because you know output voltage will come like this. And till actually the angle beta and this is actually the  $V_R$ .  $V_R$  will be basically the voltages across this actually the resistance of the load.  $V_L$  is the voltage across the inductor, so you can see that change in the polarity takes place.

This is basically the  $V_D$ . Ultimately when it conducts, so it is we assume that actually forward voltage term of this device is almost negligible and equal to 0. Then it is blocking this voltages of maximum  $V_m$  and this continues. So this is actually the RL load. Now what will be the average value of the output voltage, here?

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**Single Phase Uncontrolled Converters (Cont...)**

The average value of the output voltage

$$V_{dc} = \frac{V_m}{2\pi} [1 - \cos(\pi + \theta)]$$



Where the angle  $\theta$  can be calculated as:

$$\theta = \tan^{-1} \left( \frac{\omega L}{R} \right), \omega = 2\pi f$$

The average value of the load current

$$I_{dc} = \frac{V_{dc}}{R}$$

The average value of the output voltage (and hence the current) can be increased by making  $\theta=0$ , which is possible by adding a freewheeling diode  $D_m$  across the load.



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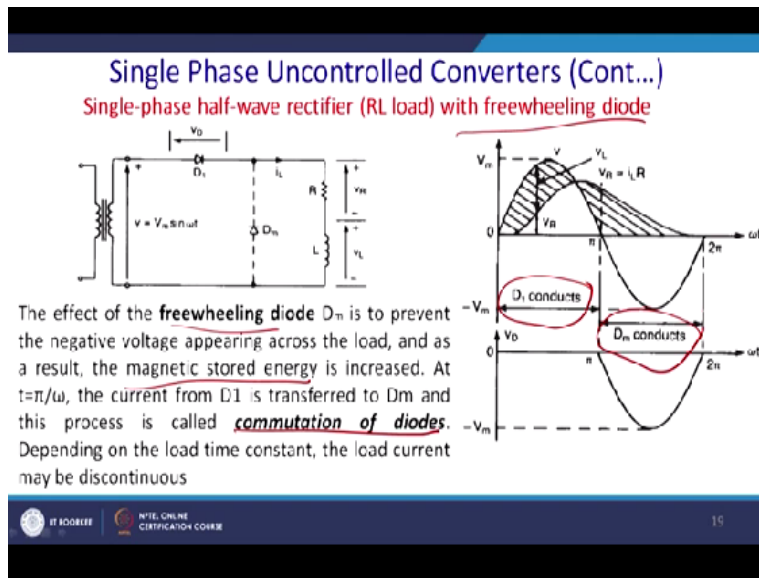
So we can calculate, you see that how it will change. So  $V_{dc}$  will be actually  $V_m/2\pi [1 - \cos(\pi + \theta)]$  where  $\theta$  can be calculated basically that depends on basically this  $\omega L/R$  ratio. And where  $\omega$  is the supply frequency of the source. And from there, actually you can calculate the amount of the  $V_{dc}$  will come actually as the average value. And average value of the current definitely once you calculate, because the inductance does not contribute anything. Once you calculate the  $V_{dc}$ , divide it by  $R$ , you will get  $I_{dc}$ . So average value of the output voltage.

And hence the current can be increased by making  $\theta=0$  so that this value becomes basically



-1 or -12, so you approaches to the resistive load and is  $V_m/\pi$  which is possible adding a freewheel diode  $D_m$  across the load. So what does it do, you know? This diode with a rectifier, if you put a freewheel diode, will increase your average DC value available to the load. So this is the one utility of it. So for this we prefer to have freewheel action in a AC to DC conversion kind of applications.

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So single phase uncontrolled converter with RL load with a freewheeling diode, we are actually discussing. The effect of the freewheel diode  $D_m$  is to prevent the negative voltage appearing. Once the negative voltage appearing means actually it makes it more DC or more ripple. Negative voltage appears across the load and as a result, magnetic energy stored into the system increases at  $t=\pi/\omega$ , the current  $D_1$  transferred to  $D_m$  and its process called commutations of the diode.

So you take an example of it. So this is basically the  $V_m$  and this is basically the  $V_R$  and this is the point where actually  $D_1$  conducts and this is the point where, actually assuming that very high load current, then only it happens. Otherwise we will have a discontinuous mode of conduction. So thank you for your attention. We shall continue to discuss AC to DC conversion in our next class. Thank you.