# **Power Electronics**

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# Lecture - 11

## Ac to Dc Converter Close Loop Control Schematic

We discussed about the front end Ac to Dc converter and how we can control the harmonics or suppose some of the low order harmonics without resorting to high frequency PWM switching. So, the configuration used, I will again draw it for a clarity again.

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You have the primary transformer, then two secondaries, then you have the two converters, one is here. We will assume the switches are bidirectional, so diodes I am not putting now. So, we should assume that the diode is there. So here, the transformer either the transformer leakage inductance or extra inductance, you have to put it to take care of the ripple, this should be there.

Similarly the second converter, inductance is here. So, this converters, the PWM; this is converter  $A_1B_1$ , this is  $A_2B_2$ . For  $A_1B_1$ , we will use the same reference wave that is the modulating, same sin wave. But the triangle waves for  $A_1B_1$  are 180 degree phase shift. For  $A_2B_2$  but for the switching sequence for  $B_1$  is reversed.

So, what is for  $s_1$ ? We will use it for here, the bottom switch of  $B_1$ . Then here, for the second converter, the same modulating signal we use but the triangular wave forms for  $A_2B_2$  are 180 degree phase shifted but  $A_1$  and  $A_2$  are 90 degree phase shifted. So, we

have the output diode is like this; this one will also come here, this one also, this one come here, so parallel operation.

So, by doing this way, what happens? You will have the harmonics like this; you have the  $V_n$  here, harmonic order, amplitude, then you have the harmonic order here, number of harmonics. So, you have the fundamental here. Then all the harmonics at  $F_c$  and its side bands that is this one; this is  $F_c$  and its side bands also at 3  $F_c$  and its side bands, this is 3  $F_c$  and its side bands, all this will get cancelled because of the PWM technique used, sin triangle PWM used for the leg A and leg B.

So, last class we learned for A when the sin is greater than the A leg, leg A. Sin greater than triangle; top switch is on, top switch is on. Then sin less than triangle, the bottom switch is on that is for leg A. And for, this is 2 for this converter also. But for leg B, sin greater than the triangle, the bottom switch is on and sin less than triangle, top on. This we are using. By using this one and the triangle, triangle frequency,  $F_c$  is equal to 11 times  $f_m$  we are using. So, all this harmonics  $F_c$ , 3  $F_c$  odd multiple get cancelled.

Now, since this two are parallel, the triangle wave form  $A_1$  and  $A_2$  are 90 degree phase shifted. So, all the harmonics and the side bands of  $f_2$  that is this one because of the 90 degree, it will get cancelled here in the transformer. Here it may be flowing but it has opposite effect in the transformer core and it will not generate any flux and it will not couple to the transformer primary.

So, transformer primary will have the fundamental, then side bands at 4  $f_c$  plus or minus 1 and minus 3, that way it goes. So, this is the thing. Now, let us let us study how the typical wave forms look like.



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We have converter 1, converter 2, this is switch. So, let us draw the modulating wave and the sin wave. So, 11 times, approximately 11 times we can draw it like this. Let us draw that; this how to get a feel for it that is why this the triangle wave form, we will make 11 times. So, let us draw the modulating wave. We will use the same modulating wave, this is the modulating wave. Now, for the second leg; if this is A, this side is B. So, for B phase, we have the inverted one. Let us draw the inverted one with a different colour. This is 180 degree phase shifted. Now, let us draw the switching pattern, switching pattern; first one let us take for the leg A. Leg A, which triangle we will be using? The blue triangle we will be using for leg A. So, I will mark it accordingly, A is here, A. So, whenever the sin is greater than the triangle, top switch is on; so here, for leg A.

And, when the sin is less than the triangle that means we are comparing the modulating wave and the blue triangle waveform. When the sin is less than the triangle, the bottom switch is on. So, if you do, when the top switch is on, this point, the centre point with respect to our DC midpoint is equal to plus  $V_{DC}$  by 2. So, there it will be minus  $V_{DC}$  by 2. So, we can see this comparison, we can take it this way that is the second one here. During this portion, it will be triangle is greater than the sin wave.

So, if you use that blue triangle wave form and the, so we are comparing, all the time comparing with the blue triangle wave form and the modulating sin wave. So, whenever sin is greater than the triangle, the top switch is on. So, the leg voltage or the pole voltage A with respect to our fictitious centre point of the output DC plus  $V_{DC}$  by 2. Otherwise it is minus VD when the bottom switch is on, it is minus  $V_{DC}$  by 2. So, the waveform will look like this, this wave. All this hatched portion shows that the top switch S<sub>1</sub> is on, S<sub>1</sub>, top switch is on. The bottom one we will say 2.

Now, for what is the pattern, the voltage wave form, pole voltage or the leg voltage  $B_0$  for the second leg? Then we have to use the sin as well as the red triangular wave form. So, we will go to the red marking. So here, red triangle waveform means here. So, the wave form; so here, if you see here, when the triangle, triangle is greater than the sin wave, here the switching sequence is inverted that is top switch is on.

So, whenever the triangle is greater than the sin wave; the top is on, we will have  $V_{DC}$  by 2, the pole voltage wave form, so this way. So whenever, here whenever the sin greater than the triangle; what we are doing? The bottom switch is on. No sorry, whenever the sin greater than triangle, the bottom switch is on. But it is reverse of the other phase. So, what you have to remember here?

The triangle waveform 11 times, 11 times the sin wave and the triangle waveform for the other one, the leg B is inverted, triangle wave form and the switch sequence for the leg A when the sin is greater than the triangle, the top switch is on; when the sin is less than the triangle, the bottom switch is on. In the leg B whenever sin is greater than the triangle, we are turning on the bottom switch. The logic is inverted.

Now, what is the final wave form across the load  $V_{AB}$ ? That is we are more interested in that one that is equal to  $V_{A0}$ ,  $V_{A0}$  minus  $V_{B0}$ . Let us do the  $V_{A0}$  minus  $V_0$ . This is, the top one is  $V_{A0}$ . So, this is  $V_{A0}$  and this one is  $V_{B0}$ . Now,  $V_{A0}$  minus  $V_{B0}$ , we can do it like that, we can just subtract it. So, these type of pulses, appear across the across the waveform.

Then, height of this one will be, previously it was  $V_{DC}$  by 2, the height will be  $V_{DC}$ . Here it is  $V_{DC}$  by 2, this height, if you take it, this height is equal to  $V_{DC}$  by 2 that is 2 here also. But in this case, it is  $V_{DC}$ . So subtraction; that minus, minus get added. So, to make all the wave form within the phase, I have slightly scaled down the height. But the actual height is  $V_{DC}$  here that is  $V_{AB}$  waveform. So, if you do field analysis of this wave form, it will have the fundamental, 2 times the individual leg A or individual B. At the same time, it will not contain the harmonics at  $f_c$  and it side bands and 3  $f_c$  also. Here, with one converter, the next higher amplitude harmonics happens at the side bands of 2  $f_c$ . Now, with one more converter, we will try to cancel the 2  $f_c$  side also so that the final high order harmonics happens, happens at the side bands of 4  $f_c$ . So 4  $f_c$ ,  $f_c$  is 11 times; 4  $f_c$  means 11 into 44 times. So, 44 time the fundamental.

So, we by a very interesting technique without resorting into high frequency switching, we have shifted the harmonics to very high, to the very high frequency side this is  $V_{DC}$ . Now, for the next converter that is the converter, the bottom converter, again I will try to the draw the figure. It is like this; here we will say, this leg is A<sub>2</sub>, this leg is B<sub>2</sub>. Our AC side is here. So here, with respect to this triangle wave form, for the same A leg and same leg A leg here, it is 90 degree phase shifted. So, let us draw the 90 degree phase shifted wave form.

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So, this is the one; 90 degree phase shifted. This is for leg  $A_2$  sorry this is according to this one, if it is 90 degree, this for leg  $B_2$ , red one. Sin wave is the same, same modulating wave we are using. So, all the fundamental get added. Now, for the for the blue triangle of this one, 90 degree triangle we will draw there, 90 degree phase shifted that is this one. This is for leg  $A_2$ , leg  $A_2$ .

Now, for  $A_{01}$  let us draw  $V_{A20}$  let us draw.  $V_{A20}$ , when the sin is greater than the triangle, the top switch is on that is from here and here,  $V_{DC}$  by 2. So, if you repeat for other triangles also, you will get this pattern. But here the height is  $V_{DC}$  by 2 and plus  $V_{DC}$  by 2 minus  $V_{DC}$  by 2, it will go. So, this is the pole voltage wave form of the second converter with 90 degree phase shifted triangle with respect to the same leg of the converter 1 that is this converter.

So, I will just mark it to get the pulse width, the change of pulse width, the feeling for the change of pulse width. Then for leg B, we will change to the converter. It will be like

this; sorry, this is the one. So, we are comparing the red triangle with the modulating wave, sin wave. Here, whenever the sin is greater than the triangle, the bottom switch is on; when the sin is less than the triangle, top switch is on, the switching logic interchanged, same as before.

Only the case is the triangles for the, similar index for the second converter is 90 degree phase shifted with respect to the same converter, the top converter or the converter 1. So, this is the case. So again, the pole voltage wave form  $V_{A2} B_2$  that is  $V_{A2} B_2$  sorry I will, the  $V_{A2} B_2$  will be  $V_{A2} B_2$  that means  $V_{A20}$  minus  $V_{B20}$  will be like this. So, this height will be again  $V_{DC}$ . We will go to plus  $V_{DC}$  here and here it is minus  $V_{DC}$ . So, these are the  $V_{A0} V_{B0}$  wave form coming across the two converters.

Now, if you sum these two voltage, that voltage will have a shape like this because that the current wave form to get a feeling of the harmonics, in instead of summing the current wave form if these two voltage wave form you can sum; this may be the replica of the voltage waveform appearing across the transformer - two secondary's and reflector on the primary. If you see here, transformer, primary we will be giving the voltages and in this wave form, all the harmonics, individual harmonics will dropped across the leakage inductance.

So, why I am summing? This is not actually happening in the converter; these two wave form never summed. But this wave form when you sum, this the resultant wave form, frequency spectrum of the resultant wave form approximately gives the harmonics spectrum of the suppressed current wave forms. We can get a feel for that one if you do the effective of that one. So, this is a stepped wave form, PWM with stepped wave form.

This wave form will not contain all the  $f_c$  and its harmonics  $f_c$ , 3  $f_c$ , 5  $f_c$  and harmonics will be highly suppressed and then the side bands at 2  $f_c$ . So, this will have only harmonics, the zero line is here; this will have the harmonics only at the side bands of 4  $f_c$ . So, you will get a stepped wave form and the primary current will be more sinusoidal here. So, we will have a stimulation study of this one later. But now the PWM technique, we know it.

Now, how to generate the required  $V_m$  so that the required  $V_{AB}$ ,  $V_{AB}$  is generated such that the transformer primary always used to draw unity current with unity power factor or the current drawn from the transformer, primary side will be nearly sinuous order and in phase with the main. So, we will study that part now. Before going to the study, controller part; see, one more thing we have to learn here. How to design this L and C? Let us study the how to design the inductor for one converter. Let us draw the converter once again.

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This is the mains, this is the inductance, this is the switch, here; so, this is our A and this is B. Now, according to the phasor diagram with unity power factor; this is  $V_S$  and this is  $I_S$  in phase with that is this current  $I_S$  in phase with  $V_S$  and the drop cross inductance L will be, for power flow from source to the load, it will be like this. Otherwise, it will be like this so.  $V_{AB}$  will be like this, this is the  $V_{AB}$ .

Now, so  $V_S$  plus  $I_S$ , if you take the fundamental component of this AB, AB fundamental component that we will represent as  $V_r$ ,  $V_r$ ,  $V_r$  is the fundamental component of the  $V_{AB}$ ,  $V_{AB}$  PWM signal, PWM wave form, wave form that is  $V_r$ ; fundamental component of the  $V_{AB}$  PWM wave form.

Now, if you assume the harmonics are highly suppressed, due to fundamental, there is a drop across this inductance. So, from this diagram, what is the relation between the fundamental voltage and the inductive drop that is this one and the  $V_{AB}$  wave form? It will be equal to  $V_r$  is equal to root of  $V_S$  square plus L omega; omega the mains frequency, this is the L into  $I_S$  square. This L omega  $I_S$  is the peak value of the sinuous order current here; L omega, have drawn.

Now, this  $V_r$  is generated by modulating the sin triangle PWM and from the previous sin triangle PWM and our  $V_0$  is here. This is our  $V_0$  sorry  $E_0$ . So,  $V_{AB}$  will be for from the previous sin triangle analysis, what you have done two days before; the  $V_{AB}$ , for one leg, the maximum amplitude of V will be proportional to the maximum will be equal to  $V_{DC}$  by 2 or  $E_0$  by 2.

So, when subtract A and B, the maximum value, the fundamental maximum value of  $V_{AB}$  will be equal to E,  $E_0$  that is the maximum voltage  $V_r$  we can get. But in all practical applications, we will not go to the extreme modulation. If you take a sin triangle like this, we will not go to this range.

See, if you go here, the pulse would become very narrow; the system may not respond here. So, we will always restrict the modulation index that is the height of the sin wave modulation index m I will say is equal to our  $V_C$  value by  $V_m$  maximum value will be always theoretically this will be equal to 1 but we will restrict to maximum, it will be equal to 0.8 for practical limitation.

So from here,  $V_r$  will be 0.8 of the maximum  $E_0$ , the output  $E_0$ . This will be equal to root of  $V_A$  square plus L, for a 50 hertz operation omega is equal to 2 pi into f, f is equal to 50 into I<sub>S</sub> maximum. How do you find out this I<sub>S</sub> maximum here? How do you find out what is the maximum I<sub>S</sub> so that from these two equations; from this equation, let us find out what is L. We will square this one such that  $V_r$  is equal to as I told, in the modulation index, we will go upto not to 1, it is only 0.8.

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So, 0.8  $E_0$  square minus V<sub>S</sub> square divided by omega square I<sub>S</sub> square is equal to or square root of this one will be equal to our L value. Now, if you see here, this L value depends on V<sub>S</sub> we know. How to find out this I<sub>S</sub>? Omega we know, omega is equal to 2 pi into f, our mains frequency. So, how to find out this I<sub>S</sub>? I<sub>S</sub> varies with our load that means load which is connected here, what load it is coming here; this is DC voltage, so load. So, may be I<sub>S</sub> we can find out from the power balance.

See, output power is equal to  $E_0$  into  $I_0$ , output power and for with unity power factor, we will be assuming, we will assume the efficiency of the system is it is across the system 100%. So, input power should be equal to output power. This is the output power, output power, this will be equal to, input power is how much? That is  $V_S$  rms into  $I_S$  rms. So,  $E_0$  we know,  $I_0$  maximum load current we can find out,  $V_S$  rms is known; from this one, we can find out what is for a maximum load, what is the  $I_S$  rms? From the  $I_S$  rms, we can find out ISP. We can square it, you will get it. So, L this way, we can find out.

Now, how to find out the value of this capacitor? That is very important. So, let us find out the next one, how to find out the value of the capacitor? Let us draw the converter once again that is only one side converter only we will draw it.

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This is our input source here, then we have this is the A point, A leg, this is our B leg and your capacitor. Capacitor has to take care of the ripple current coming from here. If this is the  $I_0$ , the current ripple current coming through this current, the current which is coming from here, let us say this is  $I_L$ ,  $I_L$  contains sorry  $I_L$  contains, this  $I_L$  contains DC current plus the ripple power. The ripple will pass through the inductance that is the oscillating part not the DC part. The fluctuating part, it will go through the capacitor and the capacitor we should choose it such a way, it should give a stiff DC link.

That means due to the ripple current, fluctuating current, the voltage ripple across this one should be as small as possible. Small means how much? 5% of the DC, we should, can have only that much ripples. So, let us find out what is the ripple current coming here? Here again, if you see here, this is  $V_{AB}$ ; fundamental component input power of this converter should be also be equal to output power of this one.

So, the input power to the converter is equal to  $V_r$  (t) into our  $i_S$  (t) that is coming from here, this is the  $i_S$  (t). This current, input assuming 100% efficiency  $V_S$  (t) and  $i_S$  (t) should be also be equal to this is we assuming, this is equal to  $E_0$  into  $I_0$ . Now, sorry  $V_0$ that is sorry not  $I_0$ , that current  $E_0$  into the output power input power should be equal to the output power. So, output power is equal to  $E_0$  plus  $I_L$  into  $I_0$ . So, we will take  $I_L$  here.

So, what are, what is  $V_r$  (t) into  $i_s$  (t)?  $V_r$  (t) is equal to if you take this is  $V_s$ , this is  $I_s$ , this is our fundamental  $V_r$  (t) and this has a delta here. So,  $V_r$  (t) will be  $V_r$  sin omega t minus delta into  $I_s$  sin omega t. So, net current  $I_L$  is equal to  $V_r$   $I_s$  into sin omega t minus delta into sin omega t divide by  $E_0$ . This is the current  $I_L$  coming out of this one. Input power is equal to output power. Now, if you see here, this can be extended like;  $V_r$   $I_s$  divided by  $E_0$  into cos delta minus cos 2 omega t minus delta.

So,  $I_L$  contains a DC part that is DC, this is the DC part that is equal to the  $I_0$  and there is a fluctuating part that is 2 times the input frequency. This will go through this capacitor that is this will go through this one, this part, this one, the one which is this one. So, we have to design the capacitor for this 2 times the frequency, there is a second harmonics current flowing through this one. So again, once again, this is the input power, sinusoidal fundamental, sinusoidal current, input power voltage into current, this is the output power from the converter.

Now,  $V_r$  (t) from this, from this definition, it is  $V_r$  into sin omega t minus del into  $I_S$  sin omega t. So, the  $I_L$  which is coming from here, if you see here, you will get this equation but when you convert to this one, there is a two halves to be there because sin A sin B, we are converting to cos. So, these two halves to be there sorry there is a mistake here. So, I will correct that one now. So this, there has to be a 2 here; so 2 is here. So, this current, this into cos two omega t, this value into cos omega t will, cos 2 omega t will flow through this one. That will generate a ripple current across this one and let us see what is that current. If it is cos to omega t; we will integrate approximately.

This is the ripple peak, let us take the ripple peak, let us take as  $I_L$  hat, ripple peak. If we integrate divided by 2 omega c if you do the capacitor, capacitor is equal to integral, the voltage delta V is V is equal to integral 1 by c i dt. So even that, this function if you integrate, you will get this one. So, this will be you want is equal to 5% of the delta V, 5% of our less than or equal to 5% of 0.5%, 0.05 of  $E_0$ , this has to be there.

So,  $E_0$  we know,  $I_L$  peak we know, we can find out C. So, if you see this equation, I will write it here, the C will be, from the inequality here, C should be greater than or equal to  $I_L$  hat that is the ripple peak that is from here,  $I_L$  hat divided by 2 into 0.05  $E_0$  into omega. So, from this equation, we can find out the value of C approximately. So, C should be greater than this value.

Now, L and C we have found out. Now, what we want? We want to control the output voltage. So, what is the control block we require? What is the  $V_r$  we have to generate? That is fundamental of  $V_{AB}$ , we have to generate for all load conditions such that the input current in the phase with our mains voltage. How we will, how we will do it, control block of the front end converter?

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What we want here? We want an output  $E_0$ , output  $E_0$ . So, this is our reference. So, reference I will mark it as  $E_0$  star. So, this is the reference. Whatever we want, we can fix it as reference. So, it will be, it will be compared. That means our output voltage, we have sensed and feedback to this one. So, the moment we are comparing the reference plus the feedback, this is the feedback; there should be a controller. So, what type of controller, we will decide later. We will just put controller. So controller, what it should give? It should give the I<sub>S</sub>. Why?

Because any time the E varies, changes with respect to reference value that means the there is a change in the capacitor voltage. That shows there is a change in the output load current. So, any change in the load current assuming 100% efficiency and the input power should be equal to the output power. So, for the required current, there should be an input current required. So, this indicates, any change in  $E_0$  with respect to  $E_0$  indicates that there is a current demand, change in current demand from the mains side. So, this will indicate to the  $I_S$ , load current  $I_S$  which is flowing through the inductance or which is taken from the mains, this  $I_S$ . This  $I_S$ , again we have to sense it from our mains, you have to sense it from here.

I will just draw it here; this is our input that is this is the current  $I_S$ . This we have to sense it using a Hall Effect sensor LEM current sensor we have to use it, we have to properly scale and give it to here. So, here also we need a current controller to control. What type of controller; we are not, we do not know. So, this controller, what it should give? To get the correct  $I_S$  and  $I_S$  star,  $I_S$  to match, what is required is the fundamental component of the AB, AB with PWM. It should be the required  $V_{AB}$  or reference value you should get it.

So, the  $V_{AB}$ , the reference value for  $V_{AB}$  is the output from here. So, this will go to the  $V_r$  reference. So, controller we take it with for only a one converter but the two converters, appropriate gain of two we have to give at the various places. But the same controller is used we can use it for the both converters. So, this is for  $V_r$  star. So, this  $V_r$  star, it will go to the PWM converter, PWM - pulse width modulation of the converter. So, converter will give what? It will give the correct  $V_r$ . This is the reference value and the converter will PWM will give the correct reference value.

Now, this  $V_r$ , so if you see here, this is  $V_S$ ; so  $V_S$  plus,  $V_S$  plus L into d  $I_S$  by dt is equal to  $V_r$  here. So  $V_r$ , all already we got here, we know the  $V_S$  value. So, if you want this is  $V_S$ , so  $V_S$ , this is plus;  $V_S$  minus  $V_r$ ,  $V_S$  plus L into di by dt is equal to  $V_r$ . So,  $V_S$  minus  $V_r$  is equal to L into di by dt. So, this you integrate with the gain of 1 by L. Here you will get the  $I_L$ . This  $I_S$ , these are actual currents; we have to bring it to the controller side. So, we may require a gain, gain function to reduce it or if you want to filter it, you may have filter also over there or you will put simple gain function k, current gain so that  $I_S$  reference and if it is for used, if the controller is built using analog controllers, may be  $I_S$  can vary from plus minus to plus ten only.

So, actual current when we sense it and bring it back to this one, there is a gain function is required. This is how you do it. Now, we have, this is an inner current loop is there. So here, if you see here, again I will explain, you have the  $E_0$  reference and feedback we have taken from the converter. If there is any mismatch in  $E_0$  and  $E_0$ , it reflects on the type of load current required. Load current, there is a variation in the load current.

So, there is a variation in the load current that should reflect on the input current drawn  $I_S$ . So, this controller output should point to the  $I_S$ . This  $I_S$  and actual current  $I_S$ , we will compare and this compare out, would give a controller. So, this controller should, this  $I_S$  star and  $I_S$  should match, controller should give the correct  $V_r$  reference that is the reference for or the modulating wave for sin triangle PWM. So, if the correct waveform is given, the PWM converter, PWM converter will give the correct  $V_r$  here.

Now, this is the converter output, this  $V_r$  or  $V_S$  minus  $V_r$ , integrate 1 by L integrate will give you  $I_S$  value. This  $I_S$  is stepped down, you can feedback it here. Now,  $I_L$  we got. How to find out the or how do you get the  $E_0$  value? How do you make the block diagram for the  $E_0$ ? So, if you see, from the power balance with unity power factor,  $V_S I_S$ rms,  $V_S I_S$ , these are the rms values is equal to  $E_0$  into  $I_0$ .  $E_0$  into  $I_0$ .  $V_S I_S$  are the rms values; so if you take the peak value, if  $V_S$  and  $I_S$  are the peak value, then  $V_S$  peak  $I_S$ peak divide by root 2, divide by root 2 is equal to  $E_0 I_0$ .  $I_S$  we already know it, so  $V_S I_S$ divided by 2  $E_0$  is equal to our  $I_0$ . This is the dc value current.

So, if there is no disturbance and the load is pakka matching, this  $I_0$  will,  $I_0$  coming from here. So, we have designed the, we are now we are worried about the DC value. We have chosen the capacitor such that the fluctuating part will go through this one and capacitor value you have chosen such that the voltage ripples is very minimal. So, the DC value, it will go here, this  $I_0$ . So, this both already we have to use it this way.

You already know  $I_S$ . So, from the  $I_S$ , there is a gain block. This gain block is equal to sorry, this is the  $V_S$  not  $I_S$ , this is  $V_S$  into  $V_S$  peak,  $I_S$  peak  $V_S$  peak. So,  $I_S$  is coming here.  $I_S$  we know it, we can generate the  $I_S$  value here, get the  $I_S$  peak value.  $I_S$  into  $V_S$  divide by 2  $E_0$  is our  $I_0$ .  $I_0$  at any instance, any load change happens if  $I_0$  and the I load are same, then the difference is 0. So, there is no discharging in the capacitor voltage wave form.

But suddenly, load changes increase or decrease;  $I_L I_{load}$  will change immediately. So, unless that is indicated to the converter  $I_0$ , immediately there is a fluctuation can happen in the capacitor voltage. So, this difference immediately goes to the capacitor. That will generate a ripple; 1 by C, this is the integral that will give the  $V_0$  side. This  $V_0$  we will feedback to this one. This is the complete block diagram for controlling the converter.

So, again I will say how this one is. You have the  $E_0$  reference and  $E_0$  feedback; that we are taking tapping from here with proper sensors and we are giving it there. With proper sensors we are taking from here and we are giving it here. Now, when the load current and the DC value of the current coming from here, this converter, when they are equal, the capacitor voltage will not fluctuate, capacitor voltage will be steady and the controller will be in the steady state.

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But due to sudden change in load that is what in your control. This  $I_0$  can change but our controller is giving some steady id. Unless this is modified,  $V_r$  is modified, this will not change. So, sudden change in load, the difference will immediately go through this one and there will be a change in the capacitor voltage  $V_0$ . That change in current, difference in moments, sudden change in load  $I_0$  minus  $I_L$  load integral 1 by C integral, this difference; that will feedback to this one here.

Now, the moment change happens, immediately  $I_S$  has to change. So,  $I_S$  you are sensing from here,  $I_S$  is given. Any change in the  $I_S$  through the controller, we will generate the correct  $V_r$ . We will give the power converter so that the power converter, reference wave form that is the modulating wave, we will give to converter such that this converter will give the correct  $V_r$ .

So, from this equation,  $V_r$ ,  $V_S$  minus Vr integral 1 by L gives the current  $I_S$  here. That  $I_S$ , instantaneous value of  $I_S$  divided by K, we will feed it here. So here, if you see, this current is a sinusoidal current and we are this current, we are controlling with this one and all our controller here is due to through PWM. So, we will assume the PWM frequency is so high. So, during the control action, we can assume this  $I_C$ , the sinusoidal part of this current  $I_C$  with a small ripple, it is not changing much. So, we are using a sinusoidal current reference and sinusoidal current feedback here.

Then that is the one of the simplest way of doing the thing. Otherwise, the other way to convert this converter is alternating current to the DC equivalent and then do the controllers; then you require other signalling process. So here, what we assume? The PWM action is so fast. During that small moment  $I_S$  reference and  $I_S$  feedback are not, sinusoidal feedback are not changing. There is not much variation in the  $I_S$ . So, what you have to give this  $I_S$  value?

Peak value of the  $I_S$  reference comes; so we have to give a sinusoidal reference here. So, with that sinusoidal reference  $I_S$  should be in phase with our mains voltage  $V_S$ . So, that will take care of the unity power factor. So, this  $I_S$  will break here and this controller

because we know, this  $I_S$  is a sinusoidal current, so this current also has to be sinusoidal. So, this sinusoidal current we are assuming that control is through PWM with high frequency. During that PWM operation, this  $I_S$  and  $I_S$  star not, there is not much change in the  $I_S$  and  $I_S$  star. So, but we want unity power factor. So, this  $I_S$ , what you drawn should be in phase with  $V_S$ .

So, we should generate a sinusoidal reference wave form in phase with this one with unit amplitude and we should multiply with this  $I_S$  and give it here. So, we have to modify this part. Let us see how we can do that one? So, the controller has to be accordingly modified. So, the controller output is here, then we will generate a sinusoidal signal which is in phase with our Vsd that is sin omega t 10, we have to generate, a sin omega t ten with unit amplitude.

This we should multiply, these two we have to multiply. Multiplication block, I will make it like this, this is the multiplication block. We give it here and this one, you should give it here, output should be given here. So, this sin omega t which is in phase with this one that will ensure that this current drawn  $I_S$  will be in phase with  $V_S$  all the time and you have to generate  $V_r$ .

So here, what is more important is how to find out this controller, this controller and this controller? What is the function of this controller such that input should track the output or the output should track the input as close as possible so that any change in  $I_S$  with  $I_S$ , immediately we have to generate the  $V_r$ . So, that controller has to take care of that one. So, let us study out some of the standard controller like P controller is there, PI controller.

So, if you use this controller with how the whole system, whole the current block; first we will start with inner current block, how inner current block will work. That we will study in the next class. So, we will go to the controller and what are the controllers, standard controller, what are its problems? Then we will try to fit in one of this standard controller blocks and we will choose the correct one.