

## Power Electronics

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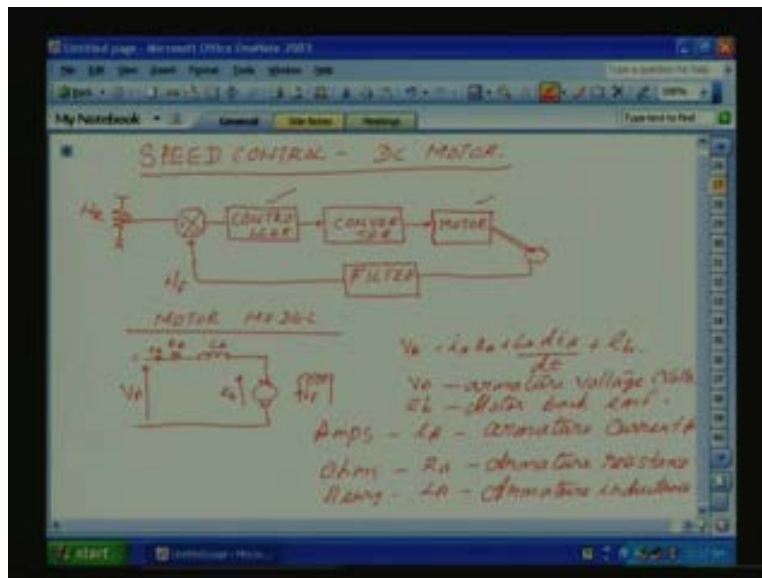
Indian Institute of Science, Bangalore

### Lecture - 18

#### Dc Motor Speed Control Current Control & Speed Control Loop

Today, we will start the DC motor speed control. We will talk about the separately excited DC motor control speed. So, speed control of DC motor.

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Any speed control requires a reference speed. For last time, when we were talking about the front end AC to DC converter, the reference was DC link voltage, output DC voltage. Now, the speed is the reference. So, this we will represent it like this; this is our speed reference. So, speed reference, I will put it as  $N_R$  speed reference. The moment speed reference means it has to be compared. We have to check whether the system has required the correct speed whenever there is a change in the input reference. That means whether the input is following or the output following the input. So, we require a control. Here is the speed feedback, we will represent as  $F$  feedback.

Now, we require a controller. So, we talked about various controllers; classical controllers used **P, PI**, P, I, PI. So, we will decide which controller is required. So here, we will simply write now, controller; what this controller should do? This controller output will vary whenever there is a mismatch in the speed reference and the speed feedback and we are controlling the DC motor.

So, DC motor speed, we are we are, how we are controlling? We are controlling by controlling the armature voltage, input voltage and this is we are through a convertor. Let us take a phase control convertor, then we have to control the firing angle. So, this output should, if with cosine comparison is the control voltage, it should go to convertor.

See, I am generally saying convertor; we can have phase control converter or front end AC to DC convertor or our four quadrants chop or whatever it is, so converter. This converter output as a variable DC, it will go to our motor. This is our motor and motor will have the tackle. So, from the tackle, we will measure the speed. So, tackle voltage we will not be perfectly DC and it will have ripple. So, we require to filter it out and a gain change is required because to bring, have to bring it to the controller level. So, this is feedback signal processing.

So basically, this is a filter, filter with a gain control. So, we have to control the ripple also. So, this is signal controller, signal processing. So, we can put it as filter because ripple will not be perfect DC and if it be a DC, this voltage we have to bring it to variable speed; with different speed the voltage is, different variation will be there. So, we have to bring down to the controller level. Controller level as I told before, let us take for with unload controls, we are working with plus 10 and minus 10 and also we want perfect DC here. So, if there is ripple is there, we have to filter it. So, we put a filter here.

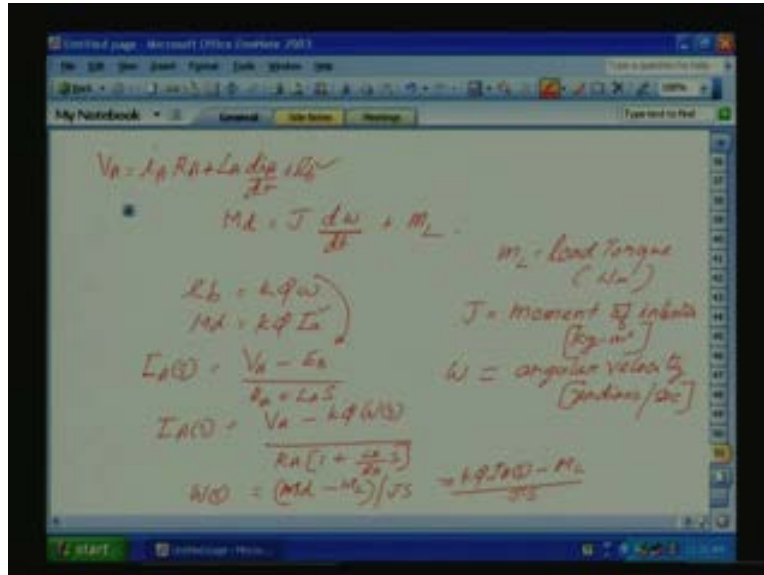
Now, the question is how to design our controller? We should have an input output relation that is a transfer function, frequency response smaller than frequency dependent model of the system. Then we can based on that one, we can find out the total input output relation, output by input ratio that is a transfer function and from there, we can design our controller so that it will give an optimum response. So, where we will start? Let us start with motor, we have not got the motor model now. So, separately excited motor; so, we will start here, motor model.

Well, this we can represent, this is our armature resistance  $R_A$  and leakage resistance  $L_A$ . Then here, we have the back emf, back emf  $E_b$  here and here also the field winding; we are giving the required field winding, field current, rated field one keeping, we are not disturbing that one. We are only controlling the armature voltage  $V_A$ , this is plus minus.

Now, we have to find out the transfer function. So, here  $V_A$ ,  $V_A$  is equal to our  $I_A$  armature current  $I_A$ ,  $R_A$  plus  $L_A$  into  $d I_A$  by  $dt$  plus  $E_b$ . We know that  $V_A$  is armature voltage, armature voltage, armature voltage which we are controlling through our converter and back emf we have studied; it is not in our control, it depends on the speed. This is the back emf, motor back emf, emf,  $I_A$  armature current due to our applied voltage current,  $R_A$  is the armature resistance,  $L_A$  is the armature inductance winding inductance, inductance, should be in Henrys, this should be in volts, this should be in volts, this also in amperes, this is should be amperes, this should be amps, this should be in ohms, this should be in Henry.

Now, let us write down the equation between  $V_A$  input and the motor parameter.

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Now, we are basically controlling the speed. So, in the previous equation, speed we have not brought in. So here, we have to bring the torque. So, the driving torque which is supplied from the input from the input power divided by speed; so, driving torque  $M_d$  is equal to  $J$  into  $d\omega$  by  $dt$  that is angular speed in radians per second plus our load torque that is our load torque. So, here  $J$  is the  $M_L$  is, if you see,  $M_L$  is the low torque in Newton meter, is in Newton meter unit.  $J$ , how to find out the  $J$  we have? Studied the initial classes; moment of inertia of the whole system.  $J$  is equal to moment of inertia, moment including the load, the complete system; this will be kilogram meter square unit. Omega, angular velocity in radians per second per second, this is  $M_d$ .

Now, the back emf  $E_b$  we know it,  $K\phi$  into omega. Omega is,  $\phi$  is the flux. For a machine, this is constant  $K\phi$ . So,  $K\phi$ , we can also,  $\phi$  we are keeping it constant by fielding the giving the correct excitation winding and  $K$  depends on the machine parameter. This we have talked about in the last class, how to find out.

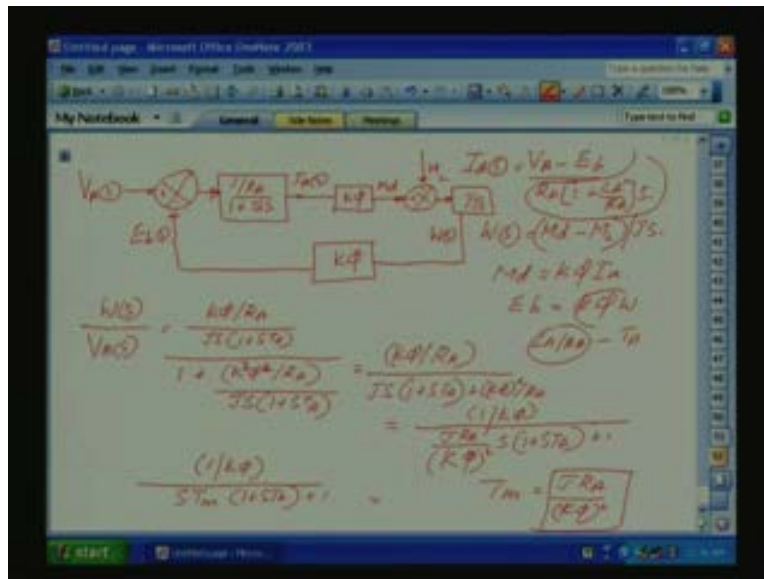
Now, the driving torque  $M_d$ ,  $M_d$  is also equal to  $K\phi$  into our  $I_A$  in Newton meter. So from these two relations, we can bring in the speed into our original equation and we can find out. Because that is speed is our output, input is the armature voltage. So, we should have a relation between these two. How to find out? Now, let us take the pervious equation, armature voltage equation. That also we will write it here for clarity so that again we can refer it;  $V_A$  is  $I_A R_A$  plus  $L_A dI_A$  by  $dt$  plus  $E_b$  back emf.

Now, let us take, let us write in time domain to the Laplace domain this one; so, that will take care of the frequency part. So, this will be equal to our armature current  $I_A(s)$  is equal to  $V_A$  minus  $E_b$  divided by  $R_A$  plus  $L_A$  into  $S$ ,  $d$  by  $dt$  we represent in the  $S$ . So, this can be again rewritten, modified. So, from this one, again we can modify this equation. That is  $I_A(s)$  is equal to  $V_A$ ; now we will bring the  $E_b$ , this one we will bring it here,  $E_b$  is equal to  $K\phi$  omega into  $S$

divided by  $R_A$  into  $1$  plus  $L_A$  by  $R_A$  into  $S$ . So, this is in the time constant form,  $1$  plus  $S t$ , that form.

Now,  $\omega$  is equal to our  $M_d$  minus  $M_L$  divided by  $J S$ . This also we can write  $M_d$  is equal to  $K \phi$  into  $I_A$ , here this we can bring it here, this  $K \phi I_A$ . So, this will be  $K \phi$  into  $I_A (s)$  minus our load torque divided by  $J$  into  $S$ , this is our Laplace. Now, based on these equations, let us see whether we can write down the input output transfer function or the block diagram of our DC motor. So, let us go to the next page.

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So, before coming a block, let us again for our reference, let us write down our voltage;  $I_A (s)$  is equal to  $V_A$  minus  $E_b$  divided by  $1$  plus  $R_A$  into  $1$  plus  $L_A$  by  $R_A$  into  $S$ , that is one equation.  $\omega S$  is equal to  $M_d$  minus  $M_L$  by  $J S$  and  $M_d$  is equal to  $K \phi I_A$  and  $E_b$  is equal to  $K \phi \omega$ . So, let us write down our transfer function, how do you do it, **no sorry** the block diagram.

So, we have  $V_A (s)$ , we are giving here and if you see,  $V_A$  minus  $E_b$ ; so this is plus, this is our  $E_b$ ,  $E_a$  minus  $E_b$ , this has to be multiplied by  $1$  by this one. So, this we can write it like this;  $1$  by  $R_A$  divided by  $1$  plus what is  $L_A$  by  $R_A$ ?  $L_A$  by  $R_A$  is the armature time constant. This, we can write as  $T_A$ , it has a unit of seconds; so,  $1$  plus  $T_A$  into  $S$ ,  $1$  plus  $S T$  form.

Now, what is this output? This output is our current  $I_A (s)$ . So, this  $I_A (s)$  into  $K \phi$ , so gain function into  $K \phi$ , this our machine, will give our driving torque  $M_d$ . So,  $M_d$  minus  $M_L$ ,  $M_d$  minus  $M_L$  multiplied by  $1$  by  $J S$ ;  $1$  by  $J S$ , this gives our speed  $\omega$  here. So, this is our  $\omega S$ ; this  $\omega$  again multiplied by this  $K \phi$ , your back emf. So, this is our motor model.

Now, what we want the transfer function? Input output relation, we want the  $\omega S$  speed, our control variable is  $V_A (s)$ , so we want a relation between  $\omega S$  and  $V_A (s)$ . Let us write down the  $\omega S$  by  $V_A (s)$  of the form  $G(S)$  by  $1$  plus  $G(S) H(S)$ . So, what is  $G(S)$  here?  $G(S)$  is

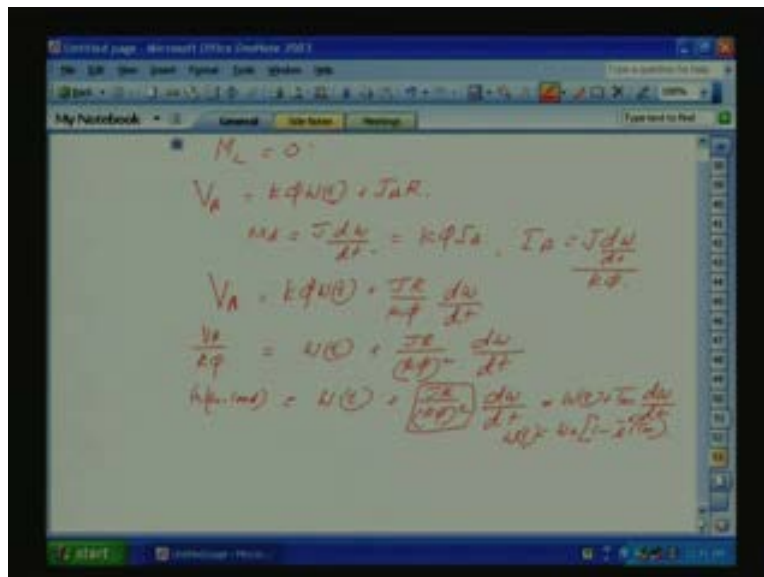
equal to  $K\phi$  divided by  $R_A$  plus  $K(S)$  into  $1$  plus  $S T_A$  divided by  $1$  plus  $G(S) H(S)$ ,  $H(S)$  is only  $K\phi$ .

So here, if you see here,  $1$  plus  $G(S) H(S)$ , here it will come,  $K^2 \phi^2$  divided by  $R_A$ . Then again divided by  $J S$  into  $1$  plus  $S T_A$ , so this we again, we can simplify and this we will get also equal to we can bring this one up. So, this will be  $K\phi$  by  $R_A$  divided by, this one multiplied by  $1$ ,  $J S$  into  $1$  plus  $S T_A$  plus  $K\phi^2$  divided by  $R_A$ . So again, we can we can bring into the standard form if you take the denominator that is  $1$  plus  $S^2 T_m$ , that time. If that form if you want to bring it, this can again we can write it as this is equal to we are dividing the whole thing by  $R_A$  by,  $K\phi^2$  by  $R_A$ , we are dividing that one.

So, this will be equal to when we divide this one, the numerator will be  $1$  divided by  $K\phi$ . This the numerator, denominator will be  $J R_A$  by  $J R_A$  by  $K\phi^2$  into  $S$  into  $1$  plus  $S T_A$  plus  $1$ ,  $1$  plus  $S T_A$ . So, this one, what is the unit or can we write, is it, this will have a time constant of seconds, this also another time constant and it is called electromechanical time constant. So, final transfer function will be final transfer will be  $1$  by  $K\phi$  divided by  $S T_m$  into  $1$  plus  $S T_A$  plus  $1$ .

So  $T_m$ , our  $T_m$  is equal to electromechanical time constant  $J R_A$  by  $K\phi^2$ . How to find out? We can put the values, the units here and we can find out this as a, this unit of seconds and we can hold electromechanical time constant because electrical side,  $R I$  is there and  $J$  is there that is due to the mechanical moment of inertia. So, that is called electromechanical time constant. This also we can verify, how electromechanical time constant.

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Let us assume the load torque  $M_L$  is  $0$  and let us say, we are applying the full voltage  $V_A$  to the machine and let us also assume, we are giving the full current, controlling the current so that always it is in the maximum torque to accelerate. So,  $V_A$  is equal to then it will be  $K\phi$ , back emf, it is a function of  $\omega$ , function of  $T$  plus  $I_a R$ . So here, we have the  $L$  part we have and inductance part we have removed because we are through controller, we are giving full

current; we are controlling the current  $I_A$  and applying the  $V_A$ , full DC we are applying that one assuming the leakage inductance is negligible.

Now,  $L$  is equal to 0, the  $L$ . So, the torque driving torque  $M_d$  is equal to for acceleration,  $J$  into  $d\omega$  by  $dt$ . This is equal to  $K\phi$  into  $I_A$ ,  $K\phi$  is constant; this is our driving torque. Now, substitute this one to the equation,  $V_A$  is equal to  $K\phi\omega$  plus, now let us take what is this  $I_A$ ?  $I_A$  is equal to  $J$  into  $d\omega$  by  $dt$ . From this equation  $I_A$  is equal to  $J$  into  $d\omega$  by  $dt$  divided by  $K\phi$ . So, when we substitute here, this will be equal to  $JR$  by  $K\phi$  into  $d\omega$  by  $dt$ .

So, we are applying the voltage and leakage inductance, we are neglecting and we are giving the nearly constant current. So, full driving torque, we are given and the machine is accelerating. Once the speed reaches the full speed, let us divide this one by  $V_A$  by  $K\phi$ .  $V_A$  by  $K\phi$  is equal to  $\omega T$  plus  $JR$  by  $K\phi$  square into  $d\omega$  by  $dt$ . What is  $V_A$  by  $K\phi$  square? When  $d\omega$  by  $dt$  will be 0, then the machine has reached the no load speed, full speed. Then  $\omega T$  that no load speed  $V_A$  by  $K\phi$ , that we have derived in the last class.

So,  $V_A$  by  $K\phi$   $K\phi$  is equal to  $\omega$  no load that for applied voltage. What is the maximum speed it can go?  $\omega$  no load is equal to  $\omega T$  plus  $JR$  by  $K\phi$  square into  $d\omega$  by  $dt$ . So, this is of the form,  $\omega T$  plus time constant  $T_m$  into  $d\omega$  by  $dt$ . So, the solution will be  $\omega T$  will be equal to  $\omega_0$  into  $1 - e^{-T/T_m}$ . So, this is the time constant. So, this is called the electromechanical time constant. So, let us introduce the electromechanical time constant into our system and then modify our equation.

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The image shows a handwritten derivation in a OneNote application. The equations are as follows:

$$n = \frac{1}{(K_m)^2}$$

$$J = \frac{T_m (K_m)^2}{R_a}$$

$$W(s) = \frac{K_m T_m s}{T_s - K_m s} - \frac{M_m}{T_s}$$

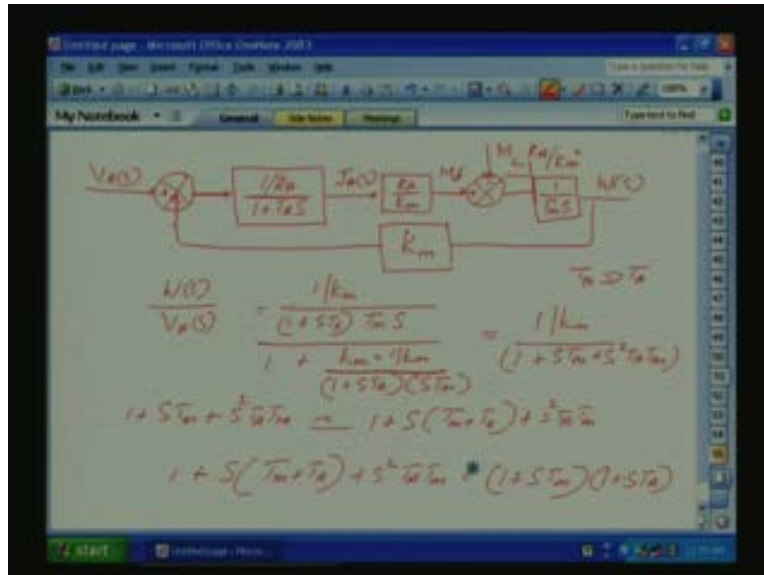
$$= \frac{K_m R_a}{s (T_s - K_m s)} - \frac{R_a}{(K_m)^2} \frac{M_m}{T_s}$$

$$W(s) = \left[ \frac{R_a T_m s}{K_m} - M_m \frac{R_a}{(K_m)^2} \right] \frac{1}{T_s}$$

Now, we know its  $T_m$  is equal to  $J R_A$  by  $K\phi$  that  $K\phi$  we have taken as machine constant, we will take as  $K_m$ . We will simplify; so,  $J R_A$  by  $K_m$  square. So, we want to introduce a  $T_m$  here. So,  $J$  we can write in terms of electromechanical time constant,  $K_m$  square divided by  $R_A$ . We know that  $\omega$   $S$  is equal to  $K\phi$ ,  $K\phi$  is equal to  $K_m$  into  $I_A$  ( $s$ ) divided by  $J S$  minus that is  $M_d$

minus  $M_L$  by JS. The moment introduced J here, this J here. So, this will be  $K_m I_A (s)$  is equal to we are trying to introduce this one, J here. So, this will be  $K_m$  into  $R_A$  by  $S$  into  $T_m$  into  $K_m$  square. This is we must substitute J from here, minus  $R_A$  by  $K_m$  square into  $M_L$  minus  $T_m$  into  $S$ . So finally, the omega  $S$  is equal to  $R_A$  by  $K_m$  into  $I_A (s)$  minus  $M_L$  into  $R_A$  by, this  $K_m$  and  $K_m$  goes, that is why  $K_m$  here  $R_A$  by  $K_m$  square into  $1$  by  $T_m$ . So, with this one, so the whole purpose was to introduce the electromechanical time constant, the J factor is also inside this  $T_m$ . Now, let us rewrite our block diagram and modify and find out our transfer function.

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Let us say, this is our  $V_A (s)$ ,  $V_A (s)$  here,  $1$  by  $R_A$  divided by  $1$  plus  $V_A (s)$ , this is our  $I_A (s)$ . So, from the previous equation,  $I_A (s)$  into  $R_A$  by  $K_m$  is equal to  $M_d$ ,  $R_A$  by  $K_m$ ; this is our  $M_d$ , driving torque plus minus  $M_L$  into  $R_A$  by  $K_m$  square into **sorry** here,  $1$  by  $T_m S$ , this is our omega  $S$  speed. That  $K \phi$ , we have taken as  $K_m$  now, this back emf.

So, this is a back emf, so we will get the transfer function same as like pervious. We have derived it omega  $(s)$  by  $V_A (s)$  is equal to  $G(S)$  by  $1$  plus  $1$  plus  $G(S) H(S)$   $1$  by  $K_m$  divided by  $G(S)$  is  $1$  plus  $S T_A$  armature time constant into electromechanical time constant  $1$  plus  $T_m (s)$   $G(S)$  by  $1$  plus  $G(S) H(S)$  that is  $1$  plus  $K_m$  into  $1$  by  $K_m$ , this will get cancelled divided by  $1$  plus  $S T_A$  into  $S T_A$ .

See, for all these exercise is to represent this transfer function in time constant form that is one plus  $S T_A$  into  $1$  plus  $S T_V$  into  $S T$ , so time constant form we have to do it. So, why it is required? If you know the time constant form, if you put it, we know it which time constant is the largest time constant. So, that will delay the system. So, we can use a controller to if I use a PI controller, the  $0$  of the PI controller can be chosen such that these large delay can be cancelled. So, delay means there is a lag, it will introduce a lag.

So, the moment will give a zero means it give the lead. So, this lead and lag will try to compensate the total system of the delay, we can try to compensate that is the purpose. So, this

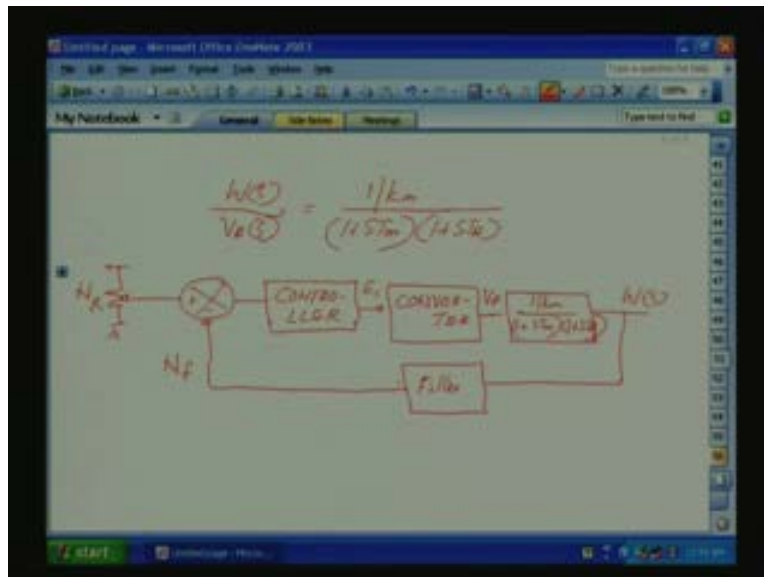
will be finally of the form, this will be equal to 1 by  $K_m$  divided by 1 plus  $S T_m$  plus  $S^2 T_A T_m$ . See, this is not the time constant form; this is not in the time constant form.

So, here we will, we know that the  $T_m$ ,  $T_m$  is much greater. Let us take the condition where electromechanical time constant is much greater than  $T_A$ . For example, if  $T_A$  is in millisecond,  $T_m$  can be in seconds; so  $T_m$  we can assume we can assume  $T_m$  is much greater than  $T_A$ . So, this 1 plus this one, 1 plus denominator  $S T_m$  plus  $S^2 T_A T_m$ , we can approximately write as 1 plus  $S$  into  $T_m$  plus  $T_A$  plus  $S^2 T_A T_m$ .

See, we are not disturbing this  $T_m$ , we are only say small, to the second, we are having only millisecond. So, this model has  $T_m$  only. But when you do this one, the final transfer function, we can write it like this; this is a symbol, approximation to get to get the transfer in a proper form. So, 1 plus  $S$  into  $T_m$  plus  $T_A$  plus  $S^2 T_A T_m$  will be equal to 1 plus  $S T_m$  into 1 plus  $S T_A$ .

So, we got the time constant form 1 plus  $S T_m$ , the standard form, the pole zero form, 1 plus  $S T_m$ . So, if you do this way, the final motor transfer function, input output. That means we are giving  $V_A$ , see all these blocks, we do not require now. We are only looking at the output  $V$  (s) with respect to omega  $S$ . So, omega (s) by  $V$  (s) will be final transfer function will be, let us go to the next page.

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Final transfer function  $V_A$  (s) **sorry** omega (s) divided by  $V_A$  (s) $S$  is equal to 1 by  $K_m$  divided by 1 plus  $S T_m$  into 1 plus  $S T_A$ . So, we are controlling the speed omega with  $V_A$ . The response of the machine depends on two times constant; one is armature time constant  $T_A$ , one is the electromechanical time constant  $T_M$ . So, these two  $T_M$  and  $T_A$  will determine the response of the system. These are the time constant of the system.

Now, let us go back to our original diagram that is we have applied the speed control that is  $N_R$  reference speed. We are getting speed feedback. See, these are all voltage levels for controller,



we are bringing it down. So, this will go to a controller, this controller output will control firing angle. Let us say the firing angle cosine comparison  $E_c$ , this we have to give to your converter. This converter output give the required  $V_A$  armature voltage and this we are giving to motor. So, motor transfer function, how do we get? That is  $1$  by  $K_m$  divided by  $1$  plus  $S$   $T_m$  into  $1$  plus  $S$   $T_A$ , this is our omega  $S$ .

Now, this omega  $S$  will process it to bring back to the controller level filter. These are our speed control system but let us say the machine is at stand still, it has not started and operator gives us speed command. Operator does not know all those things; he will give a high speed command. Let us see motor has to go to the full speed; so full speed is represented by plus  $10$  volt. So, let us say its  $10$  volt is given and machine will take because mechanical time constant, it will take its own time to speed up. But the controllers are very fast speed, speed for feedback is  $0$  initially. So, what will happen?

This will loss for the full control output  $E_c$  so that we want full controlled output means if for a three phase control rectifier, it is proportional to  $\cos$  alpha. So,  $\cos$  alpha is equal alpha is equal to  $0$ ,  $\cos$  alpha is equal to  $1$ . So,  $E_c$  will go to the required controller so that the convertor should give the maximum voltage. So, we will be applying the maximum voltage here. So, let us take a case in induction machine.

We know the speed is proportional to armature voltage. So, we want a full speed machine is at stand still and we are giving full voltage. So, what will happen? There is no back emf if you go back to our pervious equation, the armature voltage and armature current, back emf is not there. So, the full applied voltage has to be dropped across the resistance and the leakage inductor. So, what happens? Full voltage is applied to the machine, so heavy current will flow initially.

So, sometimes depending on the applied voltage, the current can be beyond the rating of the machine. So, till it speed picks up, the current will be going and the winding will get up, sometime heat up, get heated up and the machine can get damaged. So, here the problem is current is not controlled, we are only looking at the speed and the voltage. But what is the machine, current requirement?

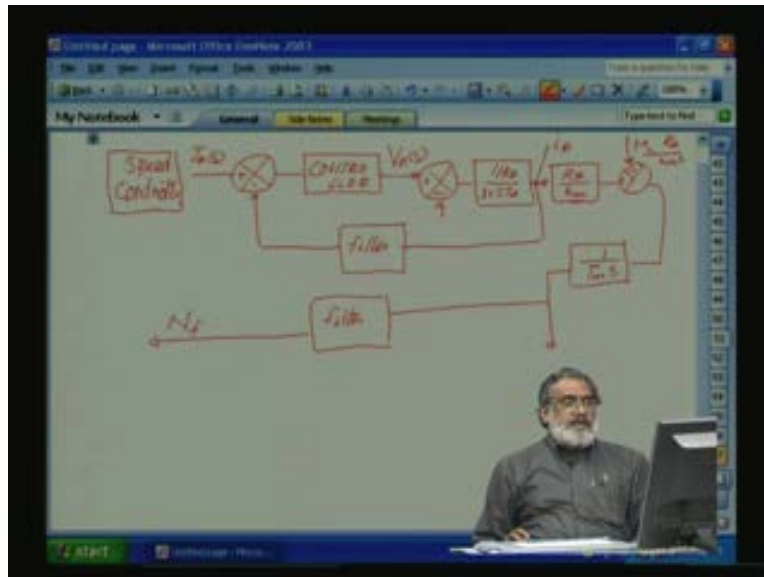
For a machine, there is not only the voltage rating, there is a current rating also there, maximum current rating or short time over load. We cannot exceed that one. So, any speed change, any speed control also has to have a current control to take care of the motor. So, that part we have not put here. So, from the convertor and controller, inside the machine, from  $V_A$  before going to the machine, there should be a current control loop is there.

What means, the  $V_A$  applied voltage to the machine, now is not depend on the speed around. Applied voltage also has to be dependent, it has to be dependent on the present current available to the motor or we should always see to it that  $V_A$  is applied in such way a machine during acceleration and deceleration, during giving positive torque and negative torque machines should not be drawing more than the maximum current.

So, there is an inner current loop is required same like our phase control convertor, outer voltage loop and inner current loop. So, there an inner current loop, fast acting current loop because that

has to be very fast because any change in the  $\omega$  depends on the mechanical time constant. So,  $V_A$  has to be controlled depending on the current requirement of the machine. So, we have to modify, alternate this block diagram and we have to introduce the inner current control loop and then we have to find out the controller.

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So, what should be our current control loop? That means our  $V_A$ , armature voltage should be controlled according to the current in the machine. So, let us take our  $I_A(s)$  is coming,  $I_A(s)$ ,  $I_A(s)$  reference is there. So, from where this  $I_A(s)$  reference comes? We will come to that one. So,  $I_A(s)$  reference that is a reference current; so, this reference current, we are putting so that this maximum and maximum and minimum positive and negative limit of this current for positive torque and negative torque depending on the machine rating.

So, there should be a current feedback from the machine. So, here also we require a controller so that if the current exceeds the rated current, this controller should act and bring back our armature voltage. So, this armature voltage depends on the current reference. So, we have to control the armature voltage in such a way as I told before, for fast dynamics, machine should be always drawing a maximum current, maximum torque, maximum positive torque and maximum negative torque depending on the current rating of the machine. So,  $V_A(s)$  applied armature voltage should be based on the current controller.

So again, if you write down the machine model; this is our  $E_b$ , so this transfer function is equal to  $1$  by  $R_A$  by  $1$  plus  $S T_A$ , then this is our here is our actual  $I_A$ , this we have to feedback here. So, this current from the machine, it will have we have, you to step down and because of the switching, there will be ripple will be there. So, here we are dealing about DC current. So, there should be a filter also required here. So, this will go. So, what is the transfer function for the filter will come? Simple first order filter we will use.

So,  $I_A$  is required, so this inner current loop is required. Now, this  $I_A$  divided by  $K_m$  is our, we know our driving torque. So, minus  $M_L$  into  $R_A$  by  $K_m$  square, we have brought the electromechanical time constant into picture here. Then this is our  $1$  by  $T_m S$ , this is our speed  $\omega$  (s); this is the output what we want. Next, this output again, we will put filter and give it to the speed reference. This is our  $N$  feedback.

So previously, this controller output was coming from our speed reference and speed controller. Now, this controller  $V_A$  is controlled by our  $I_A$  (s) reference,  $I_A$  (s) feedback. So, where the  $I_A$  (s) will come? This  $I_A$  (s) should be the output of our speed controller previous speed controller. Now, the speed control output, speed control output is not directly connected to  $V_A$  (s). Previously, the speed control output was trying to control the  $V_A$  (s). Now, the speed control output is controlling  $I_A$  (s) that is true also if you see here. Why there is a speed in change reference speed and set speed when the driving torque is not matching with the load torque?

So, we have to give the correct torque where the applied voltage armature voltage  $V_A$ , we are controlling to get the correct current. So, this is an intermediate variable. The direct variable what we want is the current. Any speed, any change in the speed that should be reflected on the drive driving torque. So, that is driving torque means its  $K \phi$  into  $I_A$ .  $K \phi$  is constant, so it should the system should give the correct  $I_A$  and before that  $I_A$ , we have to control the  $V_A$ . So, based on this one, we will formulate the complete closed loop diagram in the next class and we will try to design our controller.

Now, we have to design our current controller and the speed controller. Once that is designed, then we can go for the actual implementation, we can stimulate also, then see the response and go for the actual implementation. This we will study in subsequent classes.