

Advanced Design of Steel Structures
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Lecture - 54
Design check for LTB - 2

Friends, welcome to the 54th lecture of the course Advanced Steel Design. We are now continuing to discuss about the Lateral Torsional Buckling. In this lecture, we will learn how to do design check for lateral torsional buckling. Now, if you look into the international code as well as Indian code and see how these codes handle the design for members against lateral torsional buckling.

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Eurocode 3

- The general procedure to design against LTB is by introducing a buckling factor
- This buckling factor reduces the load capacity of the member
- for LTB, this factor is indicated as χ_{LT}
 - also accounts for all the effects, decrease the load capacity

For example, we will discuss first with Eurocode 3. The general procedure is described in this code. So, the general procedure to design against LTB is by introducing a buckling factor. And, if this buckling factor ψ is less than or equal to 1 considered to be, so now, this buckling factor reduces the capacity of the member. To be specific, when I am using this check for lateral torsional buckling; so, I should say for lateral torsional buckling, this factor is indicated as ψ_{LT} .

So, ψ_{LT} stands for lateral torsional buckling. Remember, this factor also accounts for all the effects which can decrease the load capacity. We have seen many factors which affects the

capacity of the member under buckling. So, this factor psi LT will address all those concerned parameters which will contribute to decrease in load capacity or the moment carrying capacity of the member under buckling.

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- The moment capacity is given by:

$$\frac{M_{ED}}{M_b R D} \leq 1 \quad (26)$$

where $M_b R D = \chi_{LT} \frac{W_y f_y}{\gamma_{M1}} \quad (27)$

W_y - bending resistance corresponding to cross-section classification of the member
 f_y - yield strength of material
 γ_{M1} - partial safety factor
 χ_{LT} - reduction factor for lateral torsional buckling

- i) general method
- ii) specific method, depends on cross-section

Now, the moment capacity is given by the following equation, $M_{ED} / M_b R D$ is less than or equal to 1, call this equation number 26. Because I am doing the continuation what we had in the previous lectures, where $M_b R D$ is actually given by the factor of psi LT which is $W_y f_y$ by gamma M 1, equation number 27. Now, let us see W_y is a bending resistance corresponding to the cross-sectional classification of the member. I think we all know even the cross section is classified, according to the section being used.

And of course, f_y is the yield strength of the material, gamma M 1 is the partial safety factor and psi LT is a reduction factor for lateral torsional buckling. Now, this reduction factor can be calculated by two methods. One you can have a general method and you can have an specific method to calculate psi LT. We will see both, specific method depends depending on the cross section of the member. There are two procedures available in the literature.

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for different class of members (class 1, class 2, class 3, class 4) following condition apply

$$W_y = W_{pl,y} \quad \text{class 1 \& class 2}$$

$$W_y = W_{el,y} \quad \text{class 3}$$

$$W_y = W_{eff,y} \quad \text{class 4}$$

Now, for different class of members certain conditions also apply varying from class 1, class 2, class 3 and class 4 of the members, following conditions also apply. Let us see what they are, W_y will be $W_{pl,y}$ for class 1 and 2, W_y is taken as $W_{el,y}$ for class 3 and W_y is $W_{eff,y}$ for class 4. This is as per the advice of the Eurocode. Now, Eurocode also gives us a table for correction factors of moment gradient conditions.

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Correction factors for moment gradient conditions

Loading and support conditions	Diagram of moment	λ_1	c_1	c_2	
				$v_y \leq 0$	$v_y > 0$
/	$\Psi = +1$	1.0	1.00	1.000	1.000
		0.5	1.05	1.019	1.019
/	$\Psi = +0.4$	1.0	1.14	1.000	1.000
		0.5	1.19	1.017	1.017
/	$\Psi = +0.2$	1.0	1.31	1.000	1.000
		0.5	1.37	1.000	1.000
/	$\Psi = +0.4$	1.0	1.52	1.000	1.000
		0.5	1.60	1.000	1.000
/	$\Psi = 0$	1.0	1.77	1.000	1.000
		0.5	1.86	1.000	1.000
← M →	$\Psi = -0.4$	1.0	2.06	1.000	0.850
		0.5	2.15	1.000	0.650
← M →	$\Psi = -0.2$	1.0	2.35	1.000	$1.3 - 1.2v_y$
		0.5	2.42	0.950	$0.77 - v_y$
← M →	$\Psi = -0.4$	1.0	2.60	1.000	$0.55 - v_y$
		0.5	2.45	0.850	$0.35 - v_y$
← M →	$\Psi = 0$	1.0	2.60	$-v_y$	$-v_y$
		0.5	2.45	$-0.125 - 0.7v_y$	$-0.125 - 0.7v_y$

So, this is actually the correction factor for moment gradient conditions given by the code. One can see different types of possible bending moment distribution and you can also look

into the factors C 1 and C 3 depending upon psi f less than or more than 0, for different loading conditions. We will use; we will be using this correction factor when you do a problem. Now, let us discuss the general method.

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a) General method

- General basis for LTB is flexural buckling of columns
- EC3-1-1, part 6.3.2.2
- the buckling factor, χ_{LT}

$$\chi_{LT} = \frac{1}{\phi_{LT} + \sqrt{\phi_{LT}^2 - \bar{\lambda}_{LT}^2}}, \quad \chi_{LT} \leq 1 \quad (28)$$

$$\phi_{LT} = 0.5 \left[1 + \alpha_{LT} (\bar{\lambda}_{LT} - 0.2) + \bar{\lambda}_{LT}^2 \right] \quad (29)$$

buckling behavior is strongly dependent on the slenderness ratio of the member

As we just now said the code suggests two alternate methods to check the stability design of the beams under bending. The designer can choose any method appropriate to the specification as recommended by the local codes, both follow a similar procedure. The general method recommended for lateral torsional buckling of beams is given based on the flexural buckling of columns. So, the general basis for LTB is flexural buckling of columns. The parameters are derived for the behavior of members of the bending.

So, Eurocode part 3-1-1, part 6.3.2.2 is what we are specifically referring to. This specific factor gives the buckling factor. This is given by the equation as written from the code, $1 / (\phi_{LT} + \sqrt{\phi_{LT}^2 - \bar{\lambda}_{LT}^2})$ for $\psi_{LT} < 1$ because 3 28, where ϕ_{LT} , $\bar{\lambda}_{LT}$ stands for Lateral Torsional buckling is 0.5 times of $1 + \alpha_{LT} (\bar{\lambda}_{LT} - 0.2) + \bar{\lambda}_{LT}^2$, equation 29.

So, one can very easily write a note here, looking at these two equations one can say the buckling behavior is strongly dependent on the slenderness ratio of the member.

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The slenderness parameter, $\bar{\lambda}_{LT}$ is given by:

$$\bar{\lambda}_{LT} = \sqrt{\frac{W_y f_y}{M_{cr}}} \quad (30)$$

M_{cr} - Elastic critical moment, computed based on classical buckling theory

Comment - No information is given on determining M_{cr}

- It should be based on
 - gross x-section
 - loading condition
 - real moment distribution
 - lateral restraints

The slenderness parameter $\bar{\lambda}_{LT}$ is given by the following equation, sorry not λ_{LT} but $\bar{\lambda}_{LT}$. So, $\bar{\lambda}_{LT}$ is given by $\sqrt{W_y f_y / M_{cr}}$. I think we know all these terms earlier; we have been discussing this. For example, we know M_{cr} is the elastic critical moment based on classical buckling theory. We can also recollect that this M_{cr} accounts for the critical moment effect, imperfections, and residual stresses.

There are correction factors known, three factors which we were discussed in the last lecture. There is one important comment which we like to make here. The code does not provide any information on determining M_{cr} . But, it states that it should be based on the gross cross section, the loading condition, real moment distribution and lateral restraints used to control the lateral torsional buckling.

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The general method

- std procedure, which accounts for BM distributions
- which is applicable only to determine the slenderness parameter

$\alpha_{LT} (\lambda_{LT} - 0.2)$ - imperfection factor

- this aids to reduce the LT capacity for $\lambda_{LT} > 0.2$.

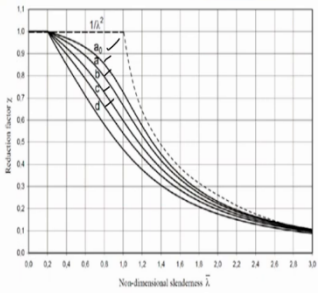
So, we can also make another comment on this procedure, that the general method is a standard procedure which accounts for the bending moment distribution which is applicable only to determine the slenderness parameter. How can I say that? The slenderness parameter depends on W_y and we have seen a table which talks about the moment gradient conditions for different moment distributions. So, we can very well say that the general method is concerned about the moment distribution pattern and the boundary conditions as applicable determine the slenderness parameter.

Now, alpha LT which is called the imperfection factor, in fact, we should say not alpha LT, we should say alpha LT into lambda LT - 0.2, I mean that is the whole factor here. This accounts for imperfection factor. This aids to reduce the LT capacity, for lambda bar LT greater than 0.2, that is why it is - point. So, in simple terms the lateral torsional buckling curves will have a plateau length of 0.2 are only applicable under this condition.

We have also seen the table which gives me the bending moment distribution and the corresponding factors for that which can be used in parallel to the lateral torsional buckling curves which will be using them in the analysis.


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Buckling curves



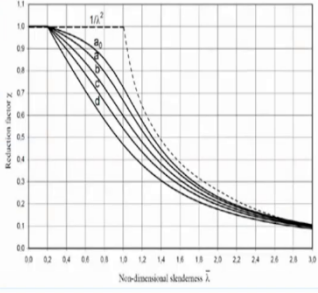
The graph plots the Reduction factor Z on the y-axis (ranging from 0.0 to 1.1) against the Non-dimensional slenderness $\bar{\lambda}$ on the x-axis (ranging from 0.0 to 3.0). A horizontal dashed line at $Z = 1.0$ is labeled $1/\lambda^2$. Five curves are shown, labeled a, b, c, d, and a naught. Curve 'a' is the highest, followed by 'b', 'c', 'd', and 'a naught' is the lowest. All curves start at $Z = 1.0$ when $\bar{\lambda} = 0$ and decrease as $\bar{\lambda}$ increases. The NPTEL logo is visible in the top right corner.

- These curves are based on experimental studies
- Basis is followed from Aytem - Perry formula for LT buckling beams (1896)
- Buckling will occur in beams before bending failure, if the beam is SLENDER




Then, we will talk about the buckling curves, because that is a part of the general method.

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The graph is identical to the one in the previous slide, showing the Reduction factor Z versus the Non-dimensional slenderness $\bar{\lambda}$ with curves a, b, c, d, and a naught. The NPTEL logo is visible in the top right corner.



I will copy this figure and put it here. The one what you see on the screen is a non-dimensional lambda bar which accounts for the reduction factor. It is a buckling curve given for different designation as a, b, c, d and a naught curve. Now, these curves are based on; these curves are based on experimental studies conducted to investigate the beam under bending. Lateral torsional buckling curves applicable different cross sections were developed subsequently right.

So, it has got a basis of the basis is followed from Ayrton Perry formula for lateral torsional buckling of beams. This was developed much early in 1886. So, this states very interesting condition that buckling will occur in beams before bending failure, if the beam is slender. So, buckling failure precludes the bending failure. So, therefore, in doing this analysis, the buckling factor becomes a very important parameter.

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The buckling factor, $\chi_{LT} = \frac{1}{\bar{\lambda}_{LT}^2}$

$$\bar{\lambda}_{LT} = \sqrt{\frac{W_y f_y}{M_{cr}}}$$

$$M_{cr} = \frac{1}{\bar{\lambda}_{LT}^2} (W_y f_y) \quad (31)$$

So, the buckling factor which is ψ_{LT} is equal to $1/\bar{\lambda}_{LT}^2$, where $\bar{\lambda}_{LT}$ is given by $\sqrt{W_y f_y / M_{cr}}$. So, from this we can say M_{cr} is $1/\bar{\lambda}_{LT}^2$ of $W_y f_y$, can you say that? We call equation number 31. Now, we can see in this curve there are different grades like a, b, c, d. They are different choice of buckling curves which depends on the cross section, type of steel quality and manufacturing method. Let us have how do they vary. Let us see that.

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Choice of buckling curve depends on

- (1) X-section layout
- (2) type of steel (Quality of steel)
- (3) Manufacturing method
- (4) based on t_f
- (5) geometric section dimension ($\frac{h}{b}$)

Choice of buckling curve	Section	Limit	Buckling curve
I-section welded	I-section welded	$\frac{h}{b} \leq 2$	a
		$\frac{h}{b} > 2$	b
I-section rolled	I-section rolled	$\frac{h}{b} \leq 2$	a
		$\frac{h}{b} > 2$	b
Channel section	Channel section	$\frac{h}{b} \leq 2$	c
		$\frac{h}{b} > 2$	d
Circular hollow section	Circular hollow section	$\frac{h}{b} \leq 2$	a
		$\frac{h}{b} > 2$	b
Square hollow section	Square hollow section	$\frac{h}{b} \leq 2$	a
		$\frac{h}{b} > 2$	b
Rectangular hollow section	Rectangular hollow section	$\frac{h}{b} \leq 2$	a
		$\frac{h}{b} > 2$	b

Section limit buckling curve

I-section welded $\frac{h}{b} \leq 2$ a

I-section welded $\frac{h}{b} > 2$ b

I-section rolled $\frac{h}{b} \leq 2$ c

I-section rolled $\frac{h}{b} > 2$ d

Channel section $\frac{h}{b} \leq 2$ c

Channel section $\frac{h}{b} > 2$ d

Circular hollow section $\frac{h}{b} \leq 2$ a

Circular hollow section $\frac{h}{b} > 2$ b

Square hollow section $\frac{h}{b} \leq 2$ a

Square hollow section $\frac{h}{b} > 2$ b

Rectangular hollow section $\frac{h}{b} \leq 2$ a

Rectangular hollow section $\frac{h}{b} > 2$ b

Handwritten notes: $\frac{h}{b} \leq 2$ a, $\frac{h}{b} > 2$ b, $\frac{h}{b} \leq 2$ c, $\frac{h}{b} > 2$ d. $\frac{h}{b} \leq 2$ a, $\frac{h}{b} > 2$ b. $\frac{h}{b} \leq 2$ c, $\frac{h}{b} > 2$ d. $\frac{h}{b} \leq 2$ a, $\frac{h}{b} > 2$ b. $\frac{h}{b} \leq 2$ c, $\frac{h}{b} > 2$ d.

Please look at this table. The choice of buckling curve depends on this is choice of buckling curve. How can you say this choice of buckling curve? I will just show you, you can see here there are varieties of curves being recommended, buckling curves. It depends on various parameters. Number 1, it depends on the cross-sectional layout, 2, it depends on type of steel.

To be very specific, Eurocode puts us quality of steel, S 235, S 275, S 355 and so on, you can see here. It also of course, depends on manufacturing method. If you carefully look at this code, the values of the choice of curve depends on whether it is manufactured in the standard procedure, whether it is welded I section that is built up section, if it is an hollow section or a box section and so on.

So, depends upon how you manufacture, how do you fabricate the choice of curve is different, number 1. Number 2, it also limits the thickness of the flange. You may wonder why flanges thickness is limited. We already know flange governs buckling, is it not; thickness governs buckling, we already saw that in the three parameter formulae in the last lecture about $e_{cr} M_{cr}$.

So, we got that value and understood how it is. Also remember friends, if it is buckling about major then the curve choice is different, it buckles about minor then the curve choice is different. Of course, these curves are close to each other for a larger value of lambda, but still there is a variation. And, these are all depend on experimental finding.

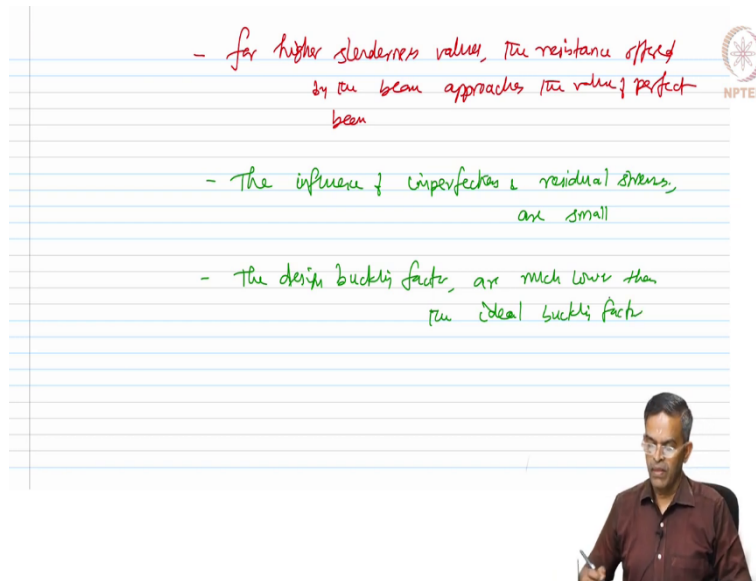
Furthermore friends, there is also a ratio of the geometric section dimension that is depending upon h by b , h is the overall depth of the section, b is the overall breadth; depending upon h by d h by b for the section you also have different curves. So, that is very interesting to see how they are classified well in detail in the code. Furthermore friends, in a short summary we can say that if it is an let us say type of section, limit value and the recommended buckling curve.

If you look at this summary very quickly from this table for I or H sections which are rolled, if h by b is less than or equal to 2, we can look for a, if h by b is more than 2, look for buckling curve b. If it is welded, then if h by b is less than 2 equal to 2, look for curve c. If it is more than 2, you can look for curve d. For all other sections, you only use curve d. These are all the recommended buckling curves as per the code, as a summary extracted from the table what you see on the left side.

Furthermore, for every buckling curve, one has also recommended the imperfection factor α_{LT} called imperfection factor. So, for a curve this factor is 0.21, for using b buckling curve it is 0.34, for c curve it is 0.49 and for d curve it is 0.76. These are all type of buckling curves. Having said this, if the theoretical buckling factor is plotted for different values, the relationship is actually given as you see in figure 324 ; as you see in this figure it is plotted. The corresponding limited values are also given in the table as you see here.

There is a curve what we have; this is the curve what we have. This is the curve what we have and there is a table recommended by the code. And, the buckling curve depends on various parameters and depending upon the type of manufacturing and the section limitations, we have recommended certain curves by the code whose imperfection factor is also given. So, now we can say very clearly some summary, very quick observation on this.

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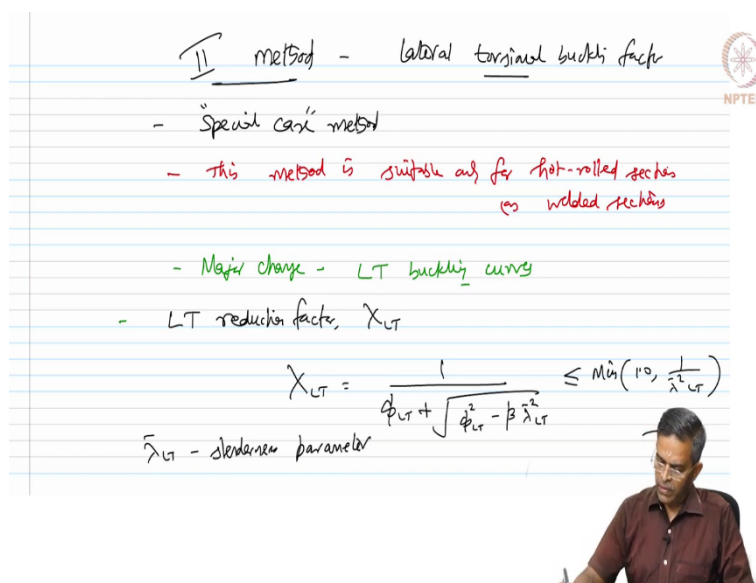
- For higher slenderness values, the resistance offered by the beam approaches the value of perfect beam

- The influence of imperfections & residual stresses, are small

- The design buckling factor, are much lower than the ideal buckling factor

For higher slenderness values, the resistance offered by the beam approaches the value of perfect beam. Furthermore, it is also seen the influence of imperfection and residual stresses, though they are considered in the buckling curves they are small. Furthermore, the design buckling factor are much lower than the ideal buckling factor. So, it gives me a conservative design of this general approach.

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II method - lateral torsional buckling factor

- Special case method

- This method is suitable only for hot-rolled sections & welded sections

- Major change - LT buckling curves

- LT reduction factor, χ_{LT}

$$\chi_{LT} = \frac{1}{\phi_{LT} + \sqrt{\phi_{LT}^2 - \beta \bar{\lambda}_{LT}^2}} \leq \min\left(1.0, \frac{1}{\bar{\lambda}_{LT}}\right)$$

$\bar{\lambda}_{LT}$ - slenderness parameter

There is another method by which we can use, this is second method. The second method is useful to calculate the lateral torsional buckling factor. Let us quickly see how this method

works. This is referred as a special case method in the code. This method is applicable for beams with hot rolled an equivalent welded section only. Now, what is the variation? The major change is reflected in the lateral torsional buckling curves.

So, according to this method, the lateral torsional buckling reduction factor which is ϕ_{LT} is given by $1 - \alpha_{LT} \lambda_{LT} + \beta \lambda_{LT}^2$ subject to a value which is minimum of 1 by λ_{LT}^2 ; equation 32, where λ_{LT} is the slenderness parameter.

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Handwritten slide content:

$$\phi_{LT} = 0.5 \left[1 + \alpha_{LT} \left(\lambda_{LT} - \lambda_{LT,0} \right) + \beta \lambda_{LT}^2 \right] \quad (33)$$

changes in LT buckling curves are reflected by 2 parameters

- 1) β
- 2) $\lambda_{LT,0}$

$\text{Max}^M \lambda_{LT,0} = 0.4$
 $\text{Min}^M \beta(\beta) = 0.75$

The slide also features an NPTEL logo in the top right corner and a small inset image of a man in a maroon shirt in the bottom right corner.

Further, ϕ_{LT} can be computed using this expression $1 + \alpha_{LT} \lambda_{LT} - \lambda_{LT}^2$ at $0 + \beta \lambda_{LT}^2$. If you look back the previous equation, you would remember and recollect immediately that this was flattening of 0.2 earlier. So, that is now changed significantly by the alternate method as I am discussing now. We call equation number 33 is it not, yeah 33.

So, now considering these two equations 32 and 33, the shape of the lateral torsional buckling curves significantly changed compared to the general method. Now, the changes are reflected, changes in the LT buckling curves are reflected by two parameters. One parameter is referred as beta which is seen here. The other parameter is alpha bar sorry lambda bar LT comma 0 which is indicated here.

So, now the code also imposes a maximum limit for lambda bar LT naught. The maximum limit imposed by the code is 0.4. Therefore, designers do not have to count on reduction factor for lateral torsional buckling, if lambda bar LT is less than 0 and 4 is the slenderness range. And, there is a minimum value of beta, recommended by the code which is 0.75.

So, friends as we now understand the lateral torsional buckling curves are significantly modified by the second method compared to the general method. The second method is called a special case method which is significantly different from the general method because, of these two parameters and the limits are given here.

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Code also recommended a modifier
 Called as f-factor
 (Useful to address the load distribution)

Using this f-factor, LT buckling resistance of a beam by the 2nd method is given by

$$M_{b,Rd} = \frac{\chi_{LT,mod} W_{pl,y} f_y}{\gamma_{M1}} = \frac{\chi_{LT} W_{pl,y} f_y}{\gamma_{M1}} \cdot \underbrace{f}_{(34)}$$

$$f = 1 - 0.5(1 - k_c) \left[1 - 2(\bar{\lambda}_{LT} - 0.2)^2 \right] \leq 1$$

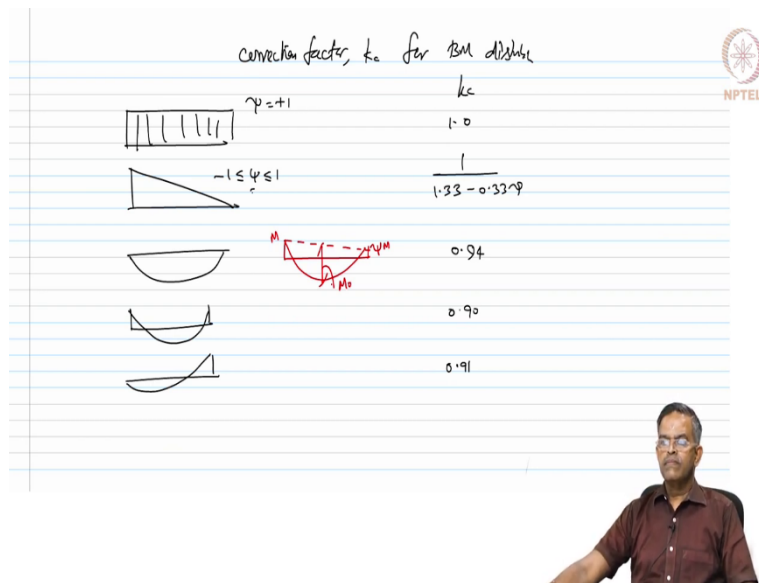
k_c - correction factor - bending moment distribution value

In addition to this, Eurocode also proposed a modifier called as f factor method, code also recommended a modifier called as f factor. Now, this f factor is useful to address the load distribution, because you see in the general method the bending moment distribution was addressed by a tabular value depending upon thickness of the flange, method of manufacturing, all those things were there.

So, the second method that is also taken care of by a factor called f factor. So, now using this f factor, the lateral torsional buckling resistance of a beam by the second method is given by $M_{b,Rd}$, which is $\psi_{LT} \text{ modify } W_{pl,y} f_y$ by γ_{M1} which is given by ψ_{LT} by f , $W_{pl,y} f_y$ by γ_{M1} ; call equation 34 right, yeah 34. Now, in this equation you will notice there is a factor f.

This factor is given by $1 - 0.5$ times of $1 - k_c$ of $1 - \text{twice of } \lambda$ for $LT - 0.8$ the whole square and this is limited to 1. It is a reduction factor. In this, k_c is called correction factor. What does it correct? It corrects the bending moment distribution value, depending upon the bending moment distribution pattern this factor is recommended. So, now let us see how this factor looks like in the code.

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For various types of bending moment distribution, let us say the correction factor k_c for BM distribution. So, we say if it is uniform, where this is $+1$ k_c is 1.0. If it is triangular varying from -1 to $+1$, then k_c is given by $1 / (1.33 - 0.33 \psi)$. If it is distribution of this order 0.94, if it is distribution of this order which can be a fixed beam 0.9, if it is eccentric on overhang is 0.91.

So, now ψ is a factor, how do you work out this factor? If I have the fixed end moments of this order and span moment of this order, if we call this as M and this as ψM . So, ψ is a factor and this is my maximum M naught.

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The slide shows three diagrams of bending moment distributions on a beam of length L . The first diagram is a triangular distribution with a peak at the left end, labeled with a value of 0.86. The second diagram is a linear distribution with a peak at the left end and a smaller peak at the right end, labeled with a value of 0.77. The third diagram is a linear distribution with a peak at the left end and a negative peak at the right end, labeled with a value of 0.52. Below the diagrams, the text reads: ψ ratio b/w the end moments ($-1 \leq \psi \leq 1$). The NPTEL logo is visible in the top right corner.

So, if we have a triangular distribution, then k is 0.86, if you have a distribution of this order which is linear 0.77. These are all for point loads, I think you can recollect the bending moment diagrams very easily related to the type of load. We can say here ψ is a ratio between the end moments, that is what we have written there. It can vary anywhere from - 1 to + 1, it is a ratio between the end moments.

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The slide contains the following handwritten text and equations: LTB effect can be neglected provided
1) $\bar{\lambda}_{LT} \leq \bar{\lambda}_{LT,0}$
2) $\frac{M_{Ed}}{M_{cr}} \leq \bar{\lambda}_{LT,0}^2$

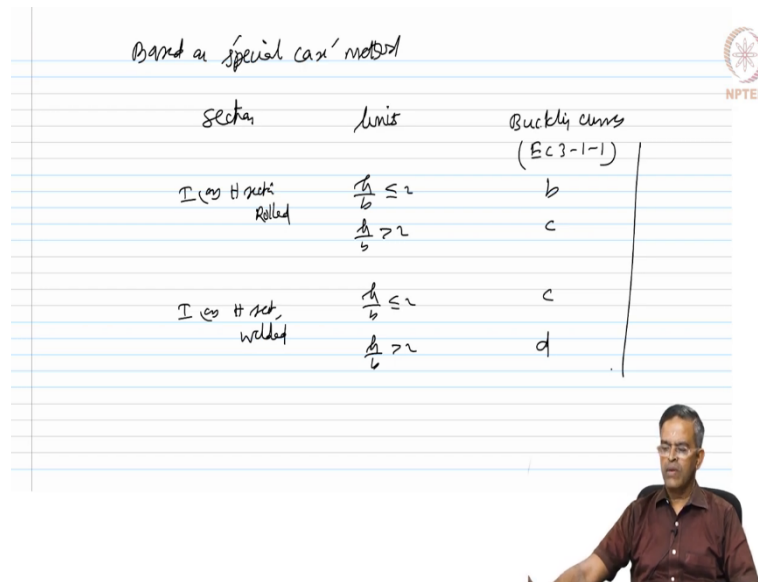
The NPTEL logo is visible in the top right corner.

Now, code also advises very interestingly a statement; lateral torsional buckling effect can be neglected provided λ_{LT} is lesser than $\lambda_{LT,0}$ and M_{Ed} by M_{cr} is lesser

than equal to λ_{bar}^2 . If this condition is satisfied, then you can neglect the lateral torsional effect in the design. Now, the buckling curves are also having different designations.

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Based on special case method




Section	Limit	Buckling curve (EC 3-1-1)
I or H section Rolled	$\frac{h}{b} \leq 2$	b
	$\frac{h}{b} > 2$	c
I or H section welded	$\frac{h}{b} \leq 2$	c
	$\frac{h}{b} > 2$	d

Based on the special method depending upon the type of section and depending upon the limits, the buckling curves are also recommended, and this is available in EC 1-1. For I or H sections which is rolled, if h/b is less than or greater than 2, then I can use b or c. For I or H section, which is welded, that is built up section, if h/b is less than or more than 2, I can use c or d curve. This is recommended by the code, when you start using the second method, special case method.

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Summary

- factors that affect design for LTB
- 2 methods, buckling capacity can be computed
 - 1) General method
 - 2) Special case
- buckling curves (a, b, c, d...)
 - (Type of section, x-section, BM distn, lateral rest)
 - Quality of steel etc.



So, friends in this lecture, we learnt what are the factors that affect design for lateral torsional buckling. 2 methods by which the buckling capacity can be computed which is one is a general method; one is the specific case or special case method. We have also seen there are different buckling curves which as a, b, c, d etcetera which can be selected to compute the buckling capacity depending upon the type of section, the sectional dimensions, bending moment distribution, type of lateral restraints and quality of steel etcetera.

So, in the next lecture, we will take up a design example and solve this using Eurocode as well as Indian code and illustrate step by step the decision procedure to design or check the beam against lateral torsional buckling.

Thank you very much. Have a good day.