

Orientation of Fibers
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Relations Among Yarn Count T, Twist Z, Packing Density, And Diameter D

This lecture, we want continue about our earlier theme about the Yarn unevenness. In the end of last lecture, we said something about the Huberty's index of irregularity and we came to the conclusion that, something is wrong in the Martindale's concept of Sliver or Yarn irregularity.

(Refer Slide Time: 00:35)

Bohuslav Neckář, TU Liberec, Dept. of Textile Technology 14

BUNDLE THEORY OF YARN UNEVENNESS

Problems and empirical corrections

- **Huberty's index of irregularity**
 $I = v_{\text{eff}}(T) / v(T)$ (Under Uster notation $I = CV_{\text{eff}} / CV_{\text{lim}}$)
 $v_{\text{eff}}(T)$ (or CV_{eff})... measured (real) value of unevenness
 $v(T)$ (or CV_{lim})... calculated ("limit") value of unevenness
Problem: Usually $I \in (1.2, 2.5)$ - too high value - WHY?
Martindale's model is not enough correct!
- **Uster empirical correction:**
 $v_{\text{USTER}}(T) = a / T^b$, a, b ... empirical constants
- **Bornet's idea: The sliver is formed from fiber *clusters***
Equation (pure empirical) $v_{\text{BORNET}}(T) = \sqrt[3]{t/T} \sqrt{v^2(t) + 1/2}$
(Bornet, G.M., Textile Res. J., 34, p. 381, 1964)

The question is why - the question is WHY it is because exists something. So, some or institutions make some empirical corrections for example, so called Uster precisely company in the Swiss land in a town name Uster but, it is known as Uster means and Uster company they use for coefficient variation of local Sliver fineness. When I speak about the Sliver is a little theoretical practically we use it at most for Yarn on. So, something like some Sliver from fibers. They use such formula because logarithm of this is straight lines and you know the graph from Uster which have the trend to be straight lines.

Interesting works that the 1964 from Bornet which formulate the idea why the real Yarn irregularity is higher than the calculated value based on Martindale's concept, is meaning that, as it is because fibers are not individual than in some bundles for similar aggregates.

(Refer Slide Time: 03:03)

15

BUNDLE THEORY OF YARN UNEVENNESS

As Martindale's model cannot usually explain the real values of sliver (yarn) irregularity, some of its basic ideas need to be corrected. The idea of fiber aggregation, presented by *Bornet*, is perhaps very near to reality, but it was necessary to derive correct theoretical model based on this assumption.

Neckář (Mell. Textilber., 7, 1989, p. 480) presented such a model, that assumes 3 hierarchical types of fiber aggregates – bundles, clusters, and sliver (yarn). This "bundle theory" will be explained now.

BUNDLE THEORY

Critical examination of Martindale's assumptions:

Fibers created fibrous sliver

- are straight and parallel to sliver axis - *idealized, but may be*
- have same length – *idealized, but may be*
- are positioned randomly along the sliver - *yes*

and INDIVIDUALLY – **NO!**

Nevertheless, it is verbal; nevertheless then he used quite empirical equation which is this here. We accept generally the idea of Bornet that the influence the center of influence is in some fiber aggregates and in opposite to him we derived the model exactly. So, let us think at first step about the Martindale's assumption. Martindale used the assumption of fibers are straight and parallel. It is idealized we can say that yes is idealized may be assumed fibers have same length; you can say also idealized here – why? May not, may be fibers are positioned randomly along the Sliver; it is evident but, he assumed also and individually and this is not right. We have enough experimental results too in general work that the fibers are not perfectly one beside the other, but they are moving together in some fiber aggregates.

(Refer Slide Time: 04:50)

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BUNDLE THEORY OF YARN UNEVENNESS

In place of idea of individual fibers, we **assume**:

- Basic structural unit is **fiber** ④.
- **Bundle** ③ is formed from aggregation of several fibers (glued places, knots). Separation of fibers into individual ones is not possible by the technology.
- **Cluster** ② is formed from aggregation of several bundles. The clusters are only loosely bonded together and these could be sometimes separated by applying suitable technology.
- **Sliver** ① is formed from aggregation of several bundles. The lower units create the higher unit **randomly** and the creations are mutually **independent**.

Fiber Bundle Cluster Sliver

Therefore, we created the following model based on the idea which is shown in our picture. The basic structural unit is a fiber this here from fibers is formed a Bundle a Bundle it is an aggregation of several fibers which are together glued or knots. So, that the separation of fibers in the individuals ones is not possible by technological process used. So, they of they function as a for example, couple of such fibers function as 1 thick fiber this is the bundle. From bundles are created clusters. Cluster is formed from aggregation of several bundles. The clusters are only loosely bonded together and these could be sometimes separated by applying suitable technologies. **Bundle is too infinity for us made the fibers together.**

Cluster is possible sometimes based on the local relations in technological process divided to smaller clusters or not. Based on the situation what we do in spinning mill for example, this is a Cluster and then the Sliver or Yarn. Finally, it is formed from aggregation of several bundles. Thus, from this unit you obtain the final structure Sliver the lower units create the higher unit randomly and the creation are mutually independent. They are our assumptions difficult in short time to have because it is not practically possible to each quantity as subscript right fiber Bundle cross the Sliver then we use numbers which is related to fiber is 4 - number 4 which is related to hard bonded bundles is number 3 which related to clusters is have number 2 and which is related to the Yarn or fiber have the number 1.

So, 1 is Yarn 2 is Cluster 3 is Bundle and 4 is fiber yeswe imagine that we create from fibers number 4 bundles number 3 then from bundles we createclusters number 2 and then from Cluster we create Sliver or Yarn cross section number 1. In reality it is in opposite we have some material and the this material we dividetoclusters bundles individual fiber. So, on, but let us imagine this structure this is our idea.

(Refer Slide Time: 08:47)

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BUNDLE THEORY OF YARN UNEVENNESS 17

Symbols: Numbers					Finesses		
Unit No.	Unit No. Included in: Number of	1 Sliver cross-section	2 Cluster	3 Bundle	Level	Unit	C.V. of finesses
2	clusters	q_{21}	1	-	1	Sliver	$v_1 \equiv v(T)$
3	bundles	q_{31}	q_{32}	1	2	Cluster	v_2
4	fibers	$q_{41} \equiv n$	q_{42}	q_{43}	3	Bundle	v_3
					4	Fiber	$v_4 \equiv v(t)$

*) Coef. of variation of local finesses

Mean numbers:
 $\bar{q}_{42} = \bar{q}_{43} \bar{q}_{32}$, $\bar{q}_{41} = \bar{q}_{42} \bar{q}_{21} = \bar{q}_{43} \bar{q}_{32} \bar{q}_{21}$,
 $\bar{q}_{31} = \bar{q}_{32} \bar{q}_{21}$

Maximum numbers:
 $q_{42 \max} = q_{43 \max} q_{32 \max}$
 $q_{41 \max} = q_{42 \max} q_{21 \max} = q_{43 \max} q_{32 \max} q_{21 \max}$
 $q_{31 \max} = q_{32 \max} q_{21 \max}$

$t_1 = 0$ for $q_{21} = 0$

$t_1 = \sum_{i=1}^{q_{21}} (t_2)_i$ for $q_{21} = 1, 2, \dots$ } type γ

$t_2 = 0$ for $q_{32} = 0$

$t_2 = \sum_{i=1}^{q_{32}} (t_3)_i$ for $q_{32} = 1, 2, \dots$ } type γ

$t_3 = 0$ for $q_{43} = 0$

$t_3 = \sum_{i=1}^{q_{43}} (t_4)_i$ for $q_{43} = 1, 2, \dots$ } type γ

Now, the quantities number of the smaller parts in higher unit. So, that a number of clusters in Sliver cross section equal q_{21} is Cluster 1 is Yarn or sliver. How many clusters in the moment is in Yarn or Sliver cross section, number of bundles in the Sliver q_{31} , number of bundles in yarn? So, and number of fibers in Yarn cross sections or Sliver cross section it is q_{41} for 1 fiber Yarn.

Our all the symbol was n number of fibers in Yarn or Sliver cross section number of bundles what is the number of clusters in Cluster evidently 1 how many Cluster in cross is given Cluster 1 number of Cluster number of bundles in Cluster is q_{32} ; bundles in Cluster Bundle is 3 Cluster 2 it is been necessary to use this system of subscripts and so on.

Where is the numbers of smaller parts? In higher unit evidently, it is valid equations for mean numbers for example, here near mean number of fibers in Cluster is mean number of fibers in Bundle times mean number of bundles in Cluster based on such logic all this equation must be valid.

The same is maximum numbers; similar equations maximum number of fibers in Cluster. It is maximum number of fibers in Bundle times maximum number of bundles in Cluster, no it is logical; on this logic all this equation are constructive. So, evident that it is valid. Now, to fineness finenesses Sliver fineness we call in the moment t_1 our other our othersymbol was capital t . So, t_1 is same than earlier capital t coefficient variation of Sliver local fineness is v_1 why 1 because structure number 1 Sliver early it was v capital t .

Cluster fineness of the Cluster is t_2 coefficient variation of this is v_2 coefficient variation of fineness of clusters Bundle fineness moment the moment fineness of a Bundle some Bundle is t_2 coefficient variation of finenesses offrom or bundles is v_3 and finally, fiber fineness is t_4 fiber have subscript 4 it was identical as earlier small t and coefficient variation of fiber fineness is v_4 identical of earlier symbol $v t$.

What we can write now? Fineness of the Sliver or Yarn is 0; if number of bundles sorry, if number of clusters in the Yarn is equal to 0 no wonder and fineness of Sliver is some offineness of all bundles in clusters in all cross section from first to last. So, that it is this way. But what is t_2 this fineness of Cluster is equal 0 if no fiber is there the number of Bundle is 0 and the similarly sum of all fineness of bundles over all bundles which are in the moment in cluster.

The same what is the fineness of Bundle 1 one from fiber from fibers it is 0 if no fiber and it is sum of fineness of fibers or all fibers in Bundle let us see this structures this and this all these 3 quantities $t_1 t_2 t_3$ are random quantities likewise we make in last lecture some small excursion to theory of probability when you find some random quantity type y and we postulate how its coefficient variation of such random quantity. All the 3 all the 3 are quantities type y .

(Refer Slide Time: 15:31)

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BUNDLE THEORY OF YARN UNEVENNESS 18

Binomial model (3x binomial distribution)

Generally – it was derived (slide 6) for coeff. of variation of fineness $v^2(T) = \left[v^2(t) + \left(1 - \frac{\bar{q}}{q_{\max}} \right) \right] / \bar{q}$

Epecially for binomial model:

- ① sliver: $v_1^2 = \left[v_2^2 + \left(1 - \bar{q}_{21} / q_{21 \max} \right) \right] / \bar{q}_{21}$
- ② cluster: $v_2^2 = \left[v_3^2 + \left(1 - \bar{q}_{32} / q_{32 \max} \right) \right] / \bar{q}_{32}$
- ③ bundle: $v_3^2 = \left[v_4^2 + \left(1 - \bar{q}_{43} / q_{43 \max} \right) \right] / \bar{q}_{43}$

$\frac{v_4^2 + \left(1 - \bar{q}_{43} / q_{43 \max} \right)}{\bar{q}_{43}} + \left(1 - \bar{q}_{32} / q_{32 \max} \right)$

Together: $v_1^2 = \frac{\frac{v_4^2 + \left(1 - \bar{q}_{43} / q_{43 \max} \right)}{\bar{q}_{43}} + \left(1 - \bar{q}_{32} / q_{32 \max} \right)}{\bar{q}_{32}} + \left(1 - \bar{q}_{21} / q_{21 \max} \right)$

Let us imagine now that each quantity t_1, t_2, t_3 have a binomial distribution and have the binomial distribution now identical, but all 3 are type binomial distribution therefore, in short here 3 times binomial distributions. We define such equation using this type of expression what is this it is mean number \bar{q} by maximum number q_{\max} and this is divided by maximum number now for v_1^2 square based on this formula.

For v_1^2 square we obtain this equation mean value maximum value for v_2^2 square we obtain such equation similarly and for our v_3^2 square we obtain this equation the way how to obtain it I think clear yes. So, how it is v_1^2 square v_1^2 square it is this here, but on the place of v_2^2 square I can use this expression.

So, it is what it is by \bar{q}_{21} and here is plus this brackets you here plus and on the place of v_2^2 square I use this expressions. So, it is this here it is \bar{q}_{32} and. So, seemingly, but here is v_3^2 square and otherwise of v_3^2 square I can use this expression it is here.

(Refer Slide Time: 17:42)

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BUNDLE THEORY OF YARN UNEVENNESS 19

(Continuation)

$$v_1^2 = \frac{v_4^2 + (1 - \bar{q}_{43}/q_{43 \max}) + (1 - \bar{q}_{32}/q_{32 \max}) \bar{q}_{43} + (1 - \bar{q}_{21}/q_{21 \max}) \bar{q}_{43} \bar{q}_{32}}{\bar{q}_{43} \bar{q}_{32} \bar{q}_{21}}$$

$$v_1^2 = \frac{v_4^2 + (1 - \bar{q}_{43}/q_{43 \max}) + (1 - \bar{q}_{32}/q_{32 \max}) \bar{q}_{43} + (1 - \bar{q}_{21}/q_{21 \max}) \bar{q}_{42}}{\bar{q}_{41}}$$

Idea: a) *drafting system:* coarser sliver – relatively higher number of fibers will be passing through the drafting system together as a cluster respectively.
 b) *open end spinning:* coarser sliver (yarn) – relatively higher number of fibers will be transported per unit tooth of opening roller (and as a cluster together drop into the rotor groove).

Assumption (simplified): It is valid $\bar{q}_{42} = P \bar{q}_{41}$,
 where $P < 1$...parameter (measure of fiber individualization)

Coefficient variation of Sliver v_1 square of it is given by this expression after rearranging the obtain is here after rearranging and using equation postulate earlier we obtain we go for this \bar{q}_{43} times \bar{q}_{32} times \bar{q}_{21} is \bar{q}_{41} it is written earlier where it is for example, here it is in some in some expression it is here. So, so that we obtain this expression for Sliver local coefficient of variation and now let us accept 2 ideas the first this when you produce ring spun Yarn for example, then the drafting system on the ring frame convert is a Sliver or finest Sliver based on count of final yarn.

Relatively higher number of fibers will be passing through the drafting system together as a Cluster respectively when we produce a coarser from a little coarser Sliver because more fibers in the drafting part of ring spun ring frame when in another process rotor process rotor spinning relatively higher numbers of fibers will be transported per unit tooth of opening roller when we produce a coarser or we use coarser sliver.

So, that when we produce Yarn having more fibers in the section may be the number of clusters which are created earlier is higher and vice versa. So, therefore, we can postulate or say some assumption of course, it is some simplification that number of fibers mean number of fibers in 1 Cluster is proportional to the number of fibers in Yarn process section and improve your coarser the number of the number of fibers in cross section is high and therefore, all of the clusters which are created are this Yarn will be bigger. So, that you can write \bar{q}_{42} is P times \bar{q}_{41} in our relation where the parameter P is a

parameter of proportionality and it is if they have some sense it is a measure of fiberindividualization. It means if p is small then number of fibers in our Yarn is created from clusters having small number of fibers if p is high then vice versa our clusters we have lot of fibers think about this phenomenon we will use this equation in our in our equation for v 1 square.

(Refer Slide Time: 21:56)

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BUNDLE THEORY OF YARN UNEVENNESS

We apply the orig. symbols: $v_1 = v(T)$, $v_4 = v(t)$, $\bar{q}_{41} = \bar{n} = \bar{T}/\bar{t}$
to rearrange the earlier equation by the following form:

$$v^2(T) = \frac{v^2(t) + 1 + \bar{q}_{43} \left(1 - 1/q_{43\max} - \bar{q}_{32}/q_{32\max}\right) + P\bar{n} \left(1 - \bar{q}_{21}/q_{21\max}\right)}{\bar{n}}$$

Using

$$A = 1 + v^2(t) + \bar{q}_{43} \left(1 - 1/q_{43\max} - \bar{q}_{32}/q_{32\max}\right)$$

$$B = P \left(1 - \bar{q}_{21}/q_{21\max}\right)$$

we can write

$$v^2(T) = (A + B\bar{n})/\bar{n} \quad v(T) = \sqrt{\frac{\bar{t}}{\bar{T}}} \sqrt{A + B\bar{T}/\bar{t}}$$

Note: In case of binomial model only, smaller values of $q_{32\max}$ and $q_{21\max}$ lead the parameter A to take a value smaller than the value $1 + v^2(t)$.

In the same time now we come back to our traditional symbols as possible. So, that on the place v 1 v is back v t on the place v 4 v small t on the place q bar 4 1 number of fibers in mean number of fibers in Yarn of fibers cross section small n bar it is t by t and so on.

Using this substitution plus this assumption we obtain such equation and symbolically we can write that this part have the name a capital and sorry, this our part here rename a capital a and this part p times this here. It is quote and the symbol B when a is this here and B is this here we obtain coefficient variation and this from as and if n bar is T by T bar by t bar worked in the final equation in such form.

It is a difference between, in relation to Martindale's equations because we are here the part B which we write it is which is multiplicative when number of fibers generally say we it is also theoretically possible in this moment that 1 plus v v square t i can be smaller than it can be higher than our part a theoretically can be. So, that theoretically we can also to obtain the unevenness or you know irregularity similar than limit value based on binomial liver. It is only theoretical example in the practice nobody watch it, but

theoretically it is possible more easier with this when we use for us easier distribution when on the place of binomial we give the Poisson distribution we derived it by Martindale's concept.

(Refer Slide Time: 24:41)

21

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BUNDLE THEORY OF YARN UNEVENNESS

Poisson model (3x Poisson distribution)

Assumption: Maximum number of lower units in the higher unit is equal to infinity; $q_{43 \max}, q_{32 \max}, q_{21 \max} \rightarrow \infty$ and therefore, $q_{42 \max}, q_{41 \max}, q_{31 \max} \rightarrow \infty$

Parameters A, B :

$$A = \lim_{\substack{q_{43 \max} \rightarrow \infty \\ q_{32 \max} \rightarrow \infty}} \left[1 + v^2(t) + \bar{q}_{43} \left(1 - 1/q_{43 \max} - \bar{q}_{32}/q_{32 \max} \right) \right]$$

$$B = \lim_{q_{21 \max} \rightarrow \infty} \left[P \left(1 - \bar{q}_{21}/q_{21 \max} \right) \right]$$

$A = 1 + v^2(t) + \bar{q}_{43}$
 $B = P$

Note: The value of coefficient A is higher than $1 + v^2(t)$ now. The equation for coefficient of variation of local sliver fineness is still valid

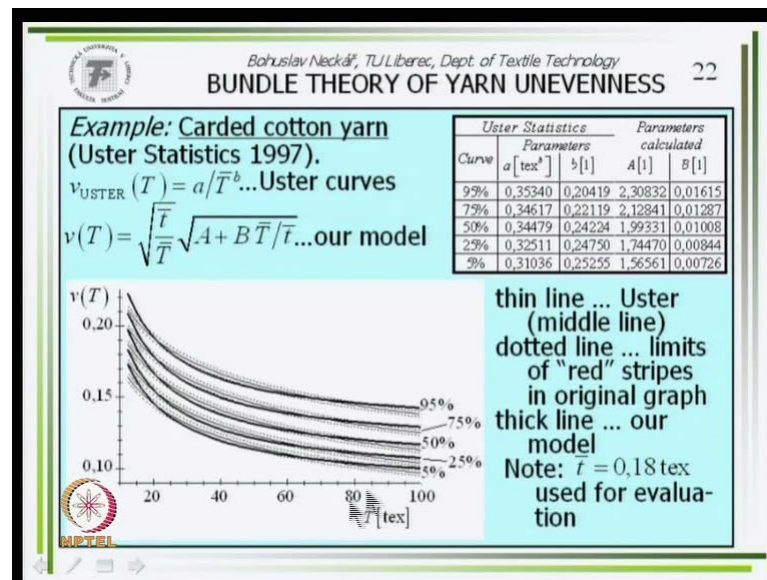
$$v(T) = \sqrt{\frac{\bar{T}}{T}} \sqrt{A + B \bar{T}/\bar{t}}$$

What is in the Poisson distributions also 3 times of coarse distribution of fineness of bundles clusters and yarn, but e type for each this Poisson distribution.

Then in Poisson distribution the maximum number of possible cases is limited to infinity isn't it. So, that by Poisson in Poisson version $q_{43 \max}$ as well as $q_{32 \max}$ as well as $q_{21 \max}$ is limited to infinity then our part A using this limit have this form you know have this form and our part B after this limiting is equal to P a parameter which say us something about the I mentioned it where measure of fiber individualization is not it.

So, on the formally the final equation stay be same have the same shape by the by what is more what is more in relation to Martindale have here $1 + v^2(t)$ now we have here plus \bar{q}_{43} number of fibers in Bundle it means in a in a structure in which the fiber stay fixed together glued knotted. So, that is it. So, that it is not possible to our technologies to process it divide.

(Refer Slide Time: 27:11)



Yes how is the practical result it is another experiment because earlier it is better for us than today's the last variation from Uster statistics why in the modern spinning process the draw frames are used this some mechanism of regulations they can very intensively regulate the irregularity or the unevenness of Sliver therefore, also the Yarn have smaller values

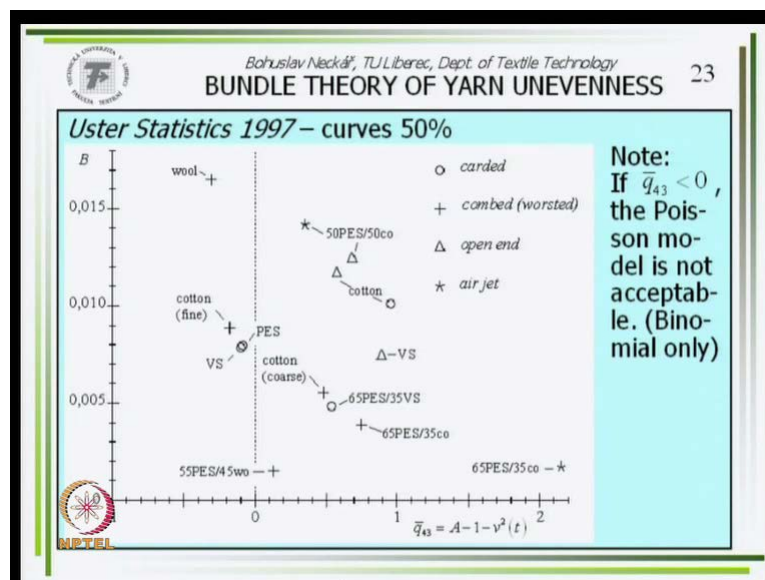
We studied this Yarn unevenness as a pure random process with some standard regulation of reason that for I use the result as an example result from statistics 1997. The basis may be the graphical explanation on the on the abscissa here is mean Yarn count it is for Yarn carded cotton Yarn count in tex is here on the ordinate it is coefficient of variation according coefficient of variation of local Yarn fineness Yarn count.

The Uster reserves are the thin lines here you know this Uster graphs, but now it is not linear because I have linear the abscissa scale this scale can be abscissa here is linear. In its standard Uster graph this abscissa this graphic symbol logarithmic therefore, in some logarithmic graph or logarithmic graph if you obtain linear relation graphically this result logarithm therefore, the Uster result are the thin lines here and because you know Uster graphical interpretation, they use little thick red lines I showed also dotted lines how is the thickness of this red line in the pictures from **yes.**

Using our equations and having two 2 parameters a and B suitable parameters we obtain the thick curves here set of thick curves. Here you can see that impractical used region our curves are linked practically inside of thickness of Usterred line.

So, our model can very good to approximate or no approximate to interpret better the experimental results published by Uster yes therefore, because this influence because this bundles and so on. Thereal unevenness is higher than the ideal unevenness according Martindale.

(Refer Slide Time: 31:18)



Here some for 50-50percentage Uster curve 50 percentagesome graph which show how it is in different types of yarns here is \bar{q}_{43} as a function of A which is a minus 1 minus v square t and \bar{q}_{43} it is a how is the number of fibers mean value of numbers fibers, in the fiber bundle do not worry, but it is starting from 0.

We speak about the Poisson distribution. So, Poisson is, in Poisson distribution also, number equals 0 is possible as far as the binomial distribution only in re Yarn when we have some part of fiber in which number is 0 then it is break there is some knot here.

Therefore, it is going from 0 in a special in a cited where it is in a cited publication in here it is the publication in which it is written in more details. It is shown how it is non break Yarn, but what is interesting from this theoretically it is possible to apply Poisson model; Poisson's distribution on these are on the left is not possible.

It must use binomial distribution. So, you can see that this side the Poisson distribution can be used for each Yarn is model we can formally use this, but we do not obtain relation to the model right results you can also see that the parameter B and a are different type of yarns and we will on the times see watch this diagram you can see that it is for example, interesting differences between ring Yarn and rotor yarn.

In rotor Yarn the Cluster the number of fiber in Cluster are relatively small as shown this experimental experiences the values here are relatively small smaller than in ring Yarn another thing is the bundles this smaller number of fibers in the Bundle is higher. Please do not imagine number of fibers in bundles is not too high value it can be 1.7 for Rotarian example or 1.3 1.2 number of fibers it means sometimes 1 fiber sometimes 2 fibers together sometimes 3 fibers together and 4 fibers together is a chance as in lottery.

Imagine so, but it can play very significant role for unevenness herein Rotarian the Cluster the Cluster is from is from small quantity of bundles, but the bundles are for example, 1.8 fibers mean value of fibers in a position to ring frame on which we obtain 1.1 or 2 something. It is in a ring Yarn; it is vice versa in ring Yarn because drafting process make the fine Sliver which is twisted and because drafting process the Cluster have the tendency be have more bundles bind in Bundle is only a little more than 1 fiber for its 1.1 1.2 based on our experimental.

So, that you can see that we can also divide we can also divide the 2 influences 1 influence is the fibers are based on another technological principle permanently together glued knotted than this and the second the no clusters which can be when our process is good can be divide and it brings when we analyze our data from industry based on this it is theoretically it is very easy because these equations are the these equations is a what is it is a linear equation or you can use the linearised statistical regression and from set of data, I do not know from your spinning mill to obtain the parameters a and B for your Yarn it is evident.

(Refer Slide Time: 37:36)

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BUNDLE THEORY OF YARN UNEVENNESS

Practical interpretation of results

Poisson model:
If fibrous material has a lot of knots and glued places, the tendency to create big (non-separable) bundles is high and therefore number of fibers in mean bundle \bar{q}_{43} is also high. So, **high value of $A = 1 + v^2(t) + \bar{q}_{43}$ indicates "bad" material**, i.e. hardly separable material.

If technological process is of poor quality, then it leaves big clusters (high \bar{q}_{42}) unopened and, because $B = P = \bar{q}_{42} / \bar{q}_{41}$, the parameter B is high. So, **high value of B indicates poor quality of technological process.**

Binomial model:
The relations are not so clear as before, but we can assume that the **sense of A and B is roughly the same.**

Now, when A is too high you now have some Yarn which is not good the irregularity is too high based on this analysis or you can compare you can compare your data from where's I do not know that the data which are here for example, for from Uster and when A is too high when A the quantity A is in your yarns too high what it means A is in the case of Poisson distribution $1 + v^2(t) + \bar{q}_{43}$ number of fibers in our bundles when you have too much fibers in bundles **knot**, do not be distracted by bundles. What you can do? You can try only. You can try and you can find on the market another type of material which have knot so, intensive tendency to create such bundles because, this is the influence of the material.

When you will leave, but value of your Yarn unevenness and based on this analysis you obtain to them that B is false. B is by Poisson's model equivalent to p . Then, no forces sorry, that p is too high; it means you have too big you know, these bundles than the clusters our clusters you have 2 bigger clusters. Then, what can you do? Because, to obtain better unevenness, big fight in your spinning mill all people must watch why we must rearrange machines - the carding machines; the surface of the of the all cylinders must be sharp the all this rearranging of machine machines must be optimum and so on.

You can start to make some big fight in your spinning mill; in the first case not in the first case, you can only try and/or find on the market another type of your I do not know cotton fibers which have knot; so, high tendency have 2 fibers together.

In the second case, you must organize some symbolic big fighting in your spinning mill and there is a practical end for our theoretical model. Principally, we use the same idea - the Martindale nevertheless.

(Refer Slide Time: 41:08)

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BUNDLE THEORY OF YARN UNEVENNESS 16

In place of idea of individual fibers, we **assume**:

- Basic structural unit is **fiber** ④.
- **Bundle** ③ is formed from aggregation of several fibers (glued places, knots). Separation of fibers into individual ones is not possible by the technology.
- **Cluster** ② is formed from aggregation of several bundles. The clusters are only loosely bonded together and these could be sometimes separated by applying suitable technology.
- **Sliver** ① is formed from aggregation of several bundles. The lower units create the higher unit **randomly** and the creations are mutually **independent**.

Fiber Bundle Cluster Sliver

We apply it to more general idea; you know from individual fibers immediately yarn. From individual fibers we create bundles; from bundles clusters and from them, clusters the Yarn; these are the difference - logical difference to Martindale. You can say how we obtain this system? It was worked and my first version of model was only 3 steps from fibers to clusters and from clusters to yarn.

But, when I compare it with our own experimental research as well the Uster diagrams and specially for this fine part of the Yarn, it was not, the curve was not enough precise; was not enough. Well, I think what is the logical sense of this? No good results in one part of the case and we came to them that logically it must exist something like this bundles, some fibers, some fiber bundles which are based on our principle use technological principle used permanently together; not possible to divide and then finish our lecture.